



Seismic Attributes - from Interactive Interpretation to Machine Learning

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Geometric Attributes - Coherence



Geometric Attributes that map continuity, amplitude changes and textures

1. Coherence

Faults, channel edges, karst,
dewatering

2. Amplitude gradients

Thin channels, fractures

3. GLCM textures

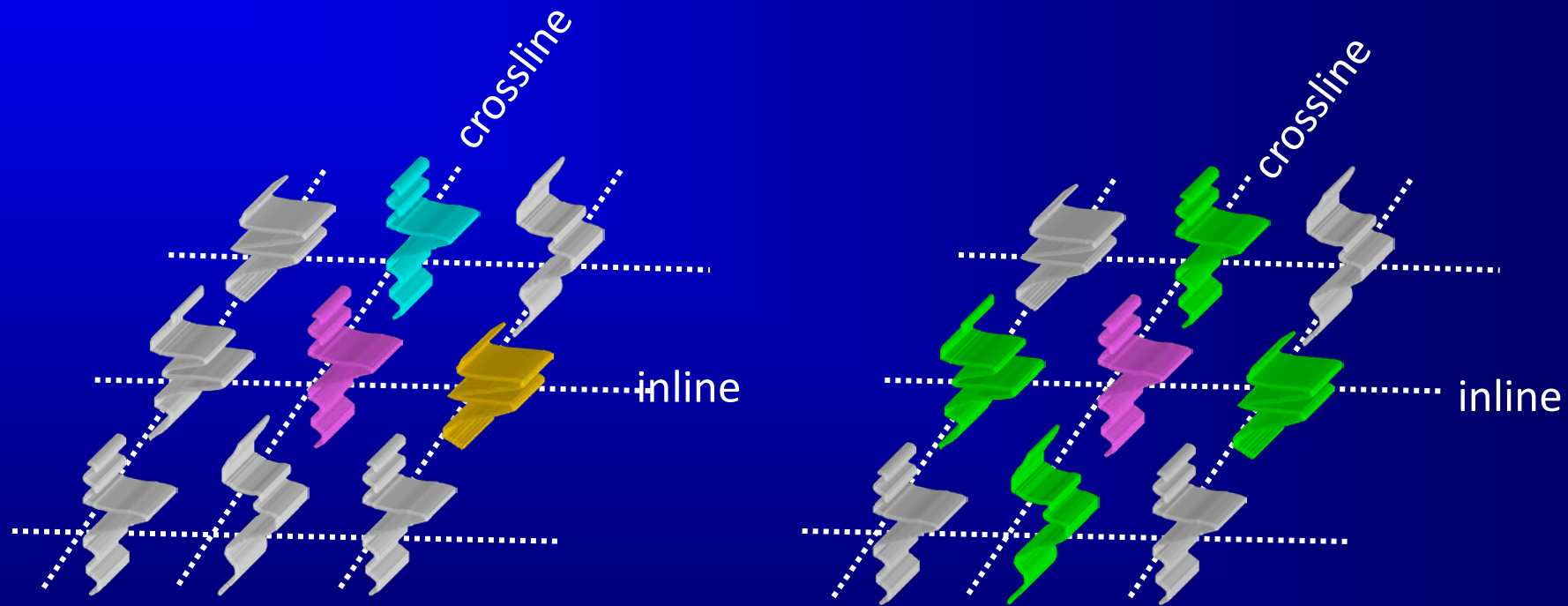
Chaotic vs. smooth
reflector patterns

Coherence

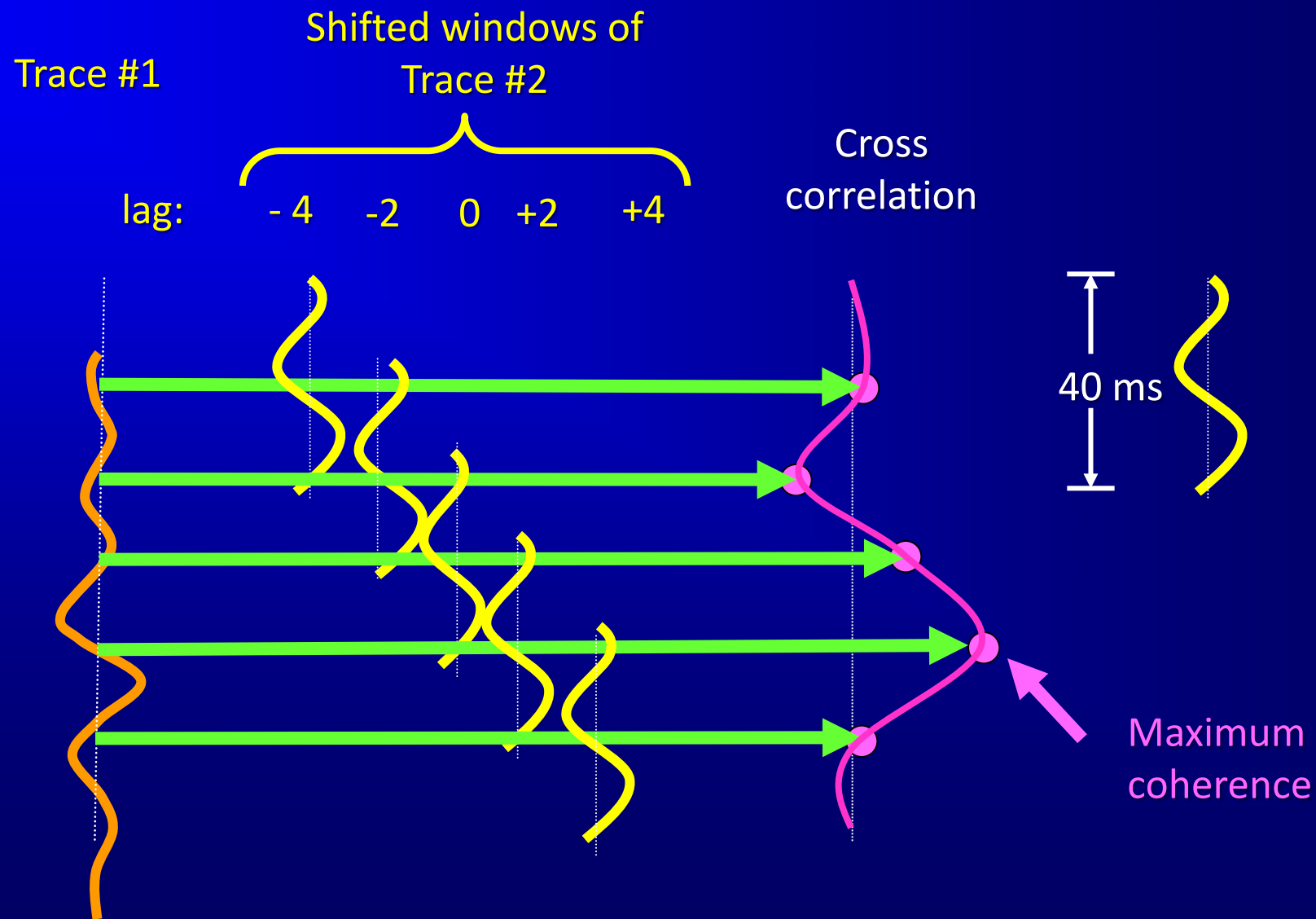
After this section you will be able to:

- Summarize the physical and mathematical basis of alternative seismic coherence algorithms,
- Evaluate the impact of spatial and temporal analysis window size on the resolution of geologic features, and
- Recognize artifacts due to algorithm design or due to limits in seismic data quality, seismic imaging, and/or geologic complexity.

Coherence compares the waveforms of neighboring traces

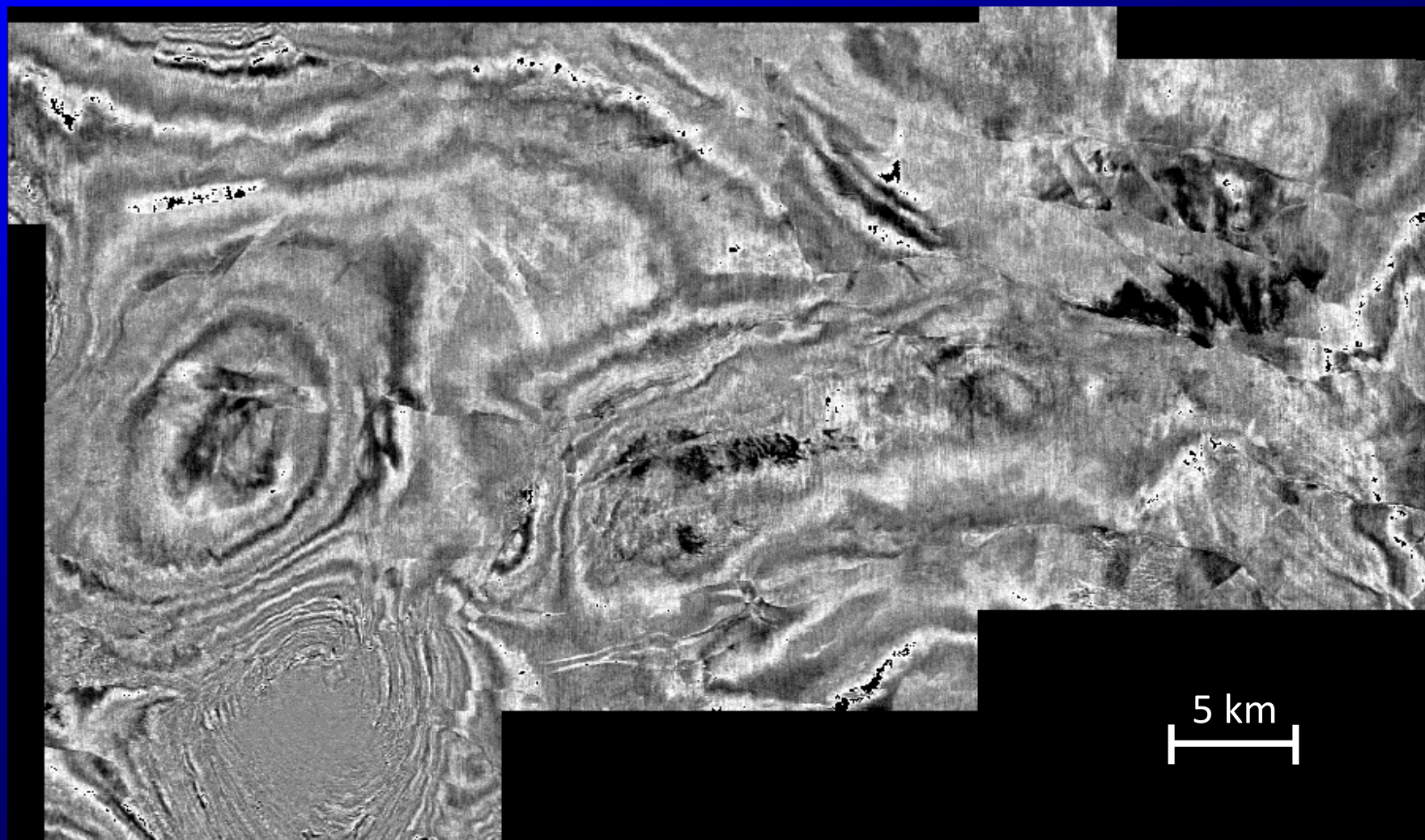


Cross correlation of two traces

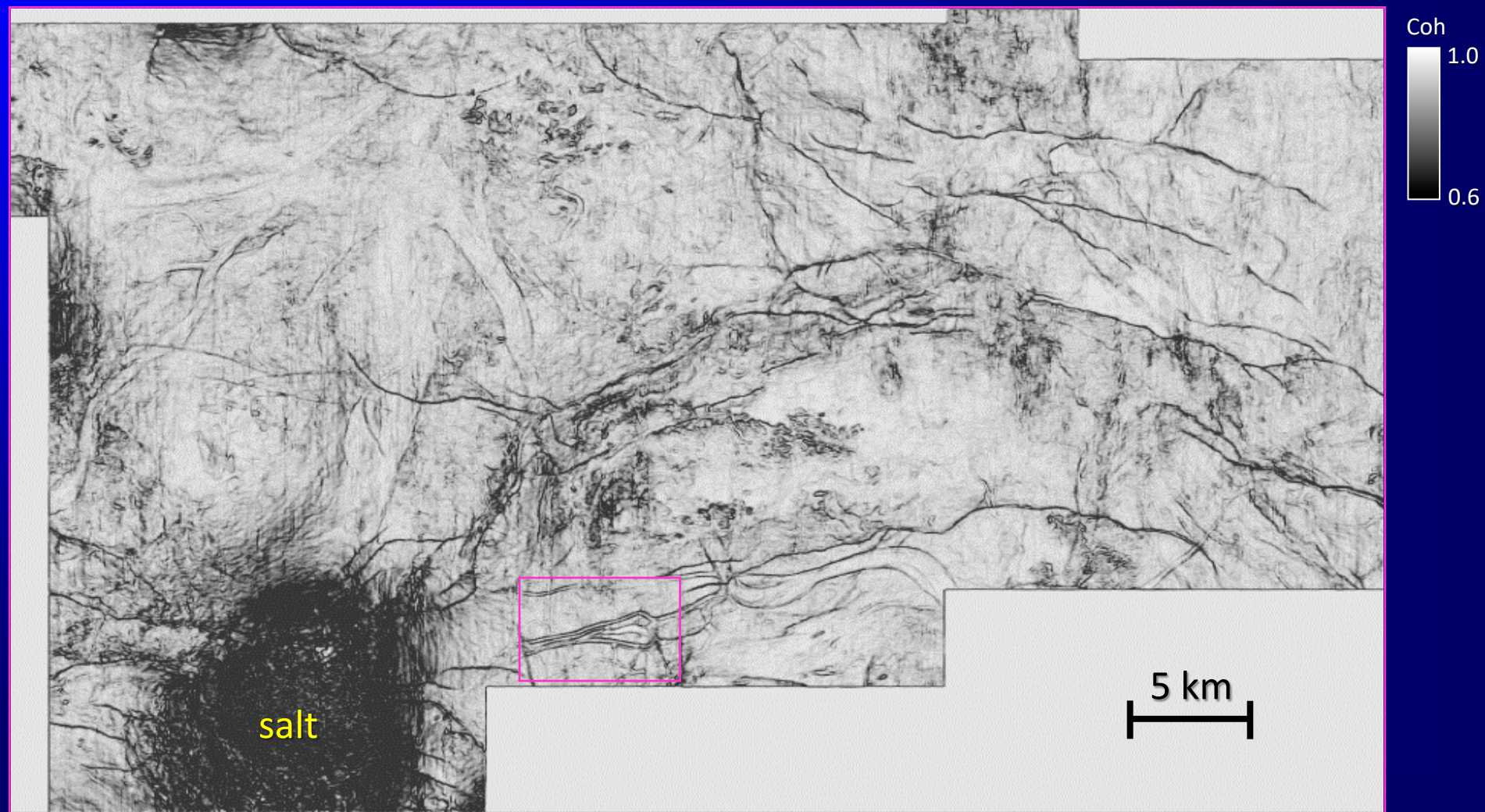




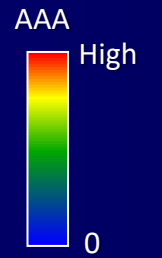
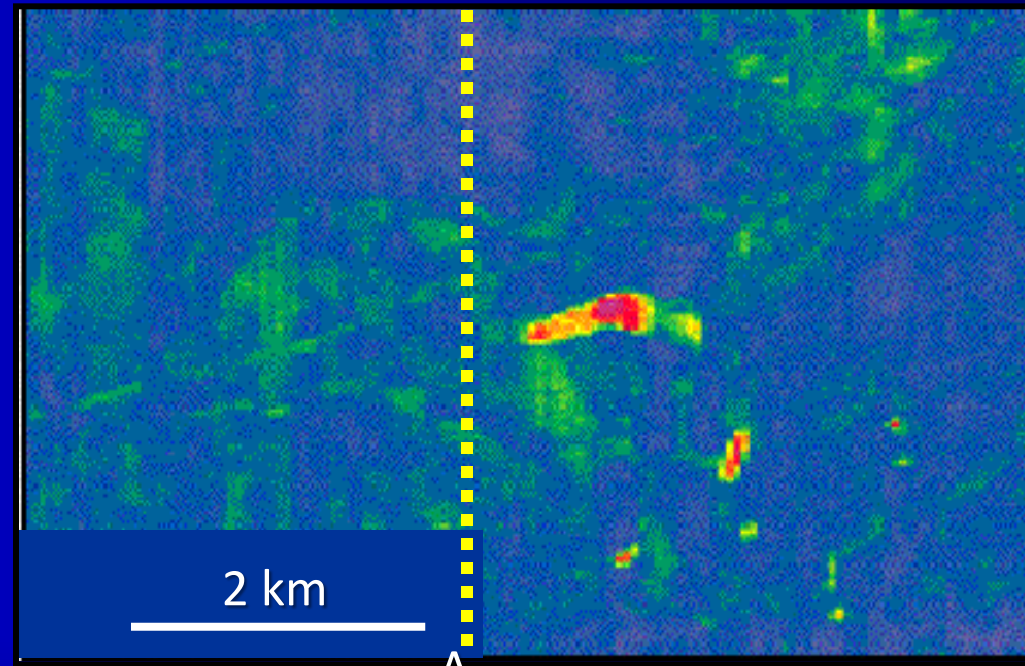
Time slice through the seismic amplitude volume



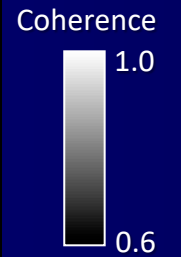
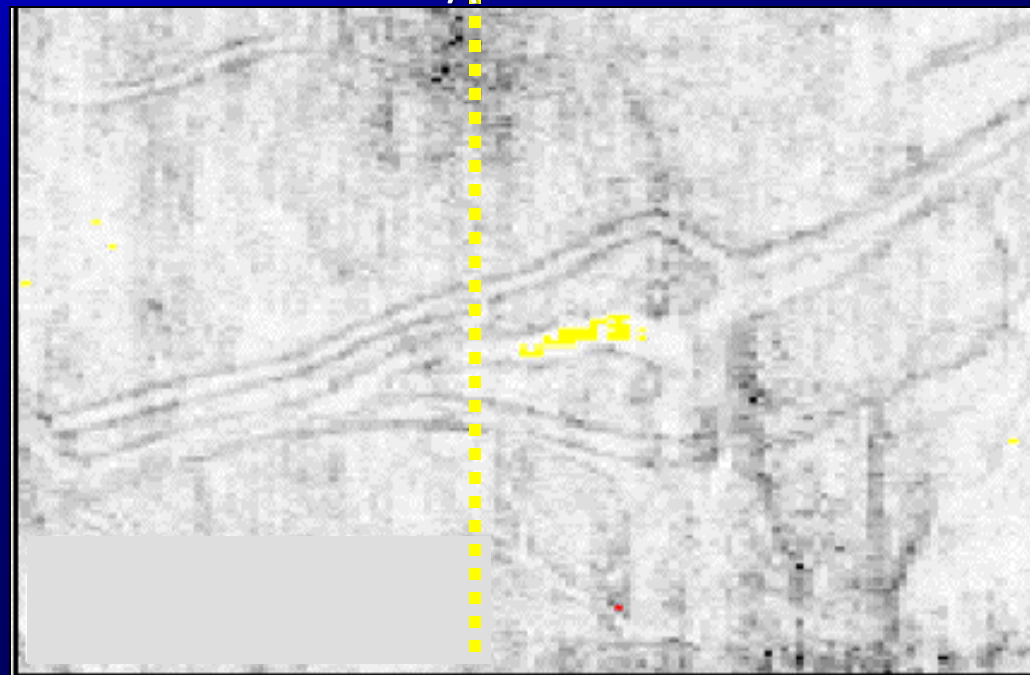
Time slice through the coherence volume



Time slice through
average absolute amplitude



Time slice through coherence
(initial crosscorrelation algorithm)

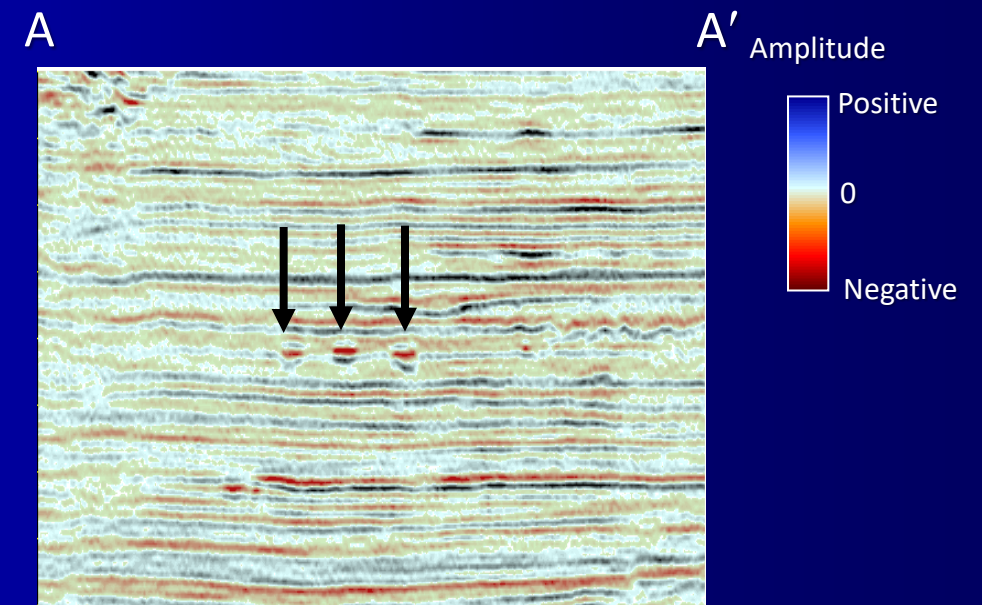


A

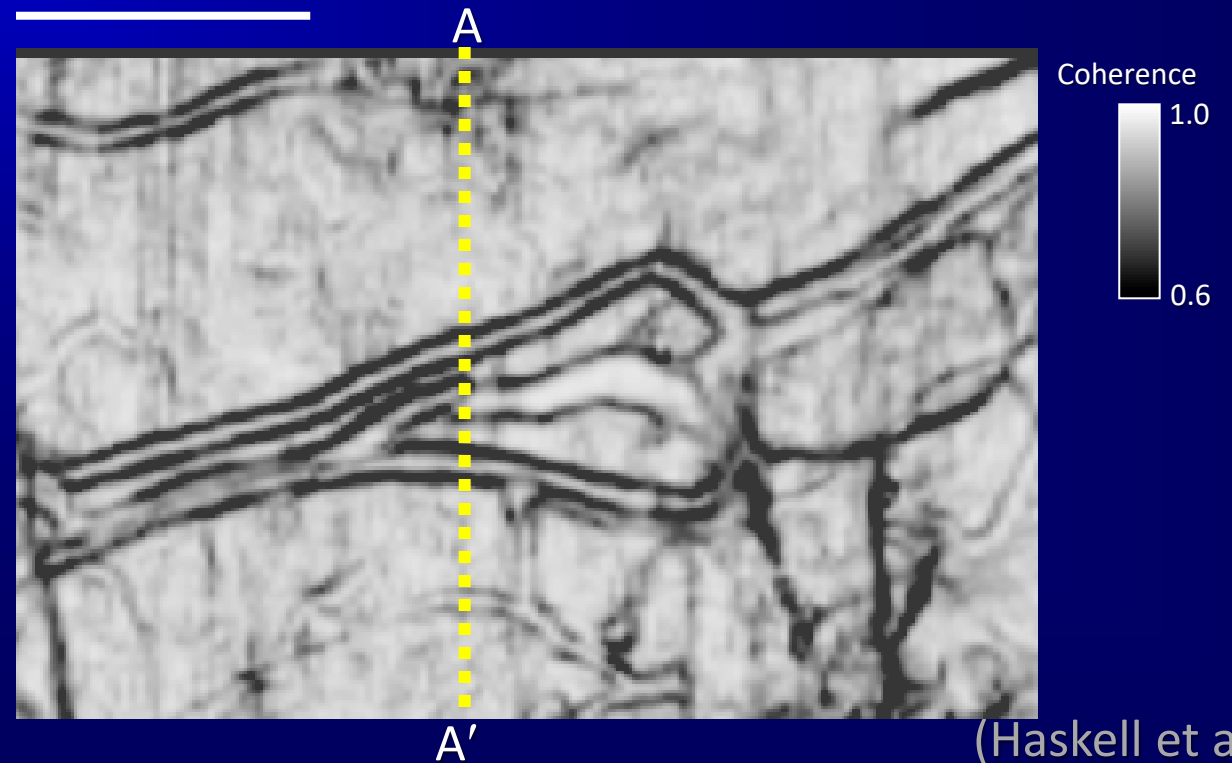
A'

(Bahorich and Farmer, 1995)

Vertical slice through amplitude

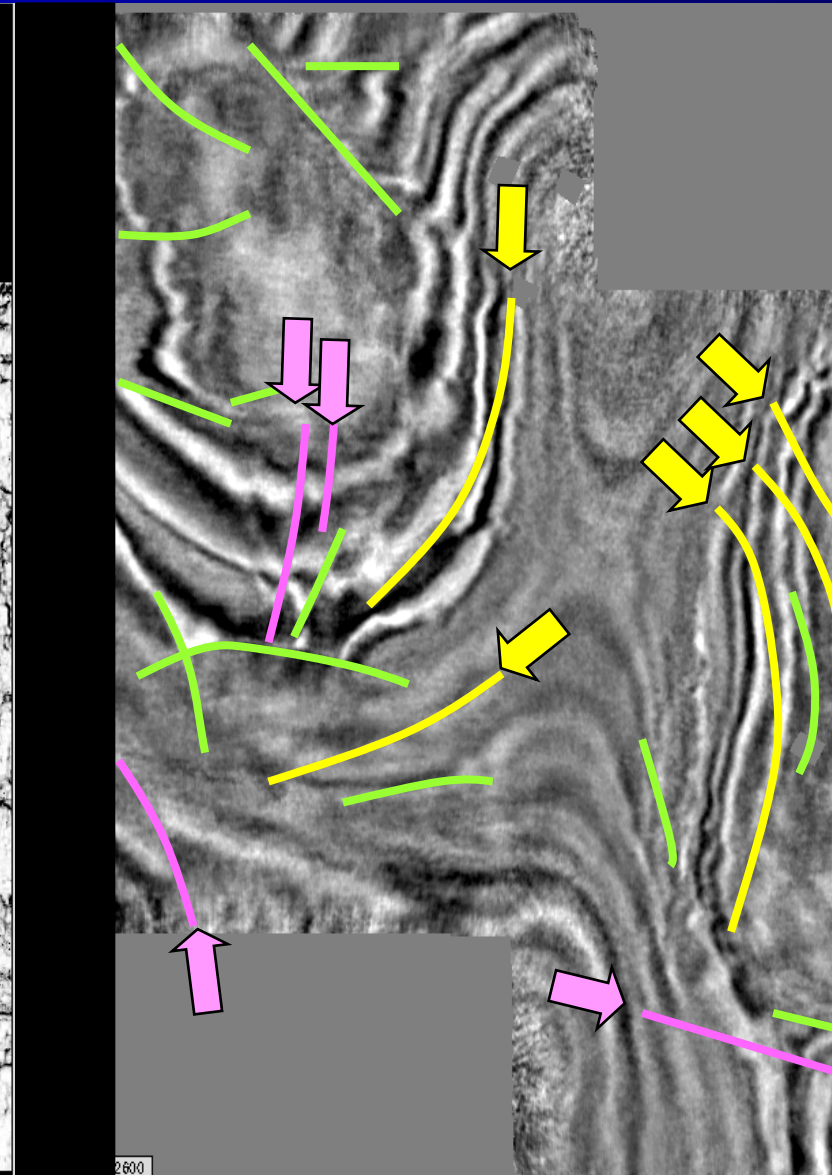
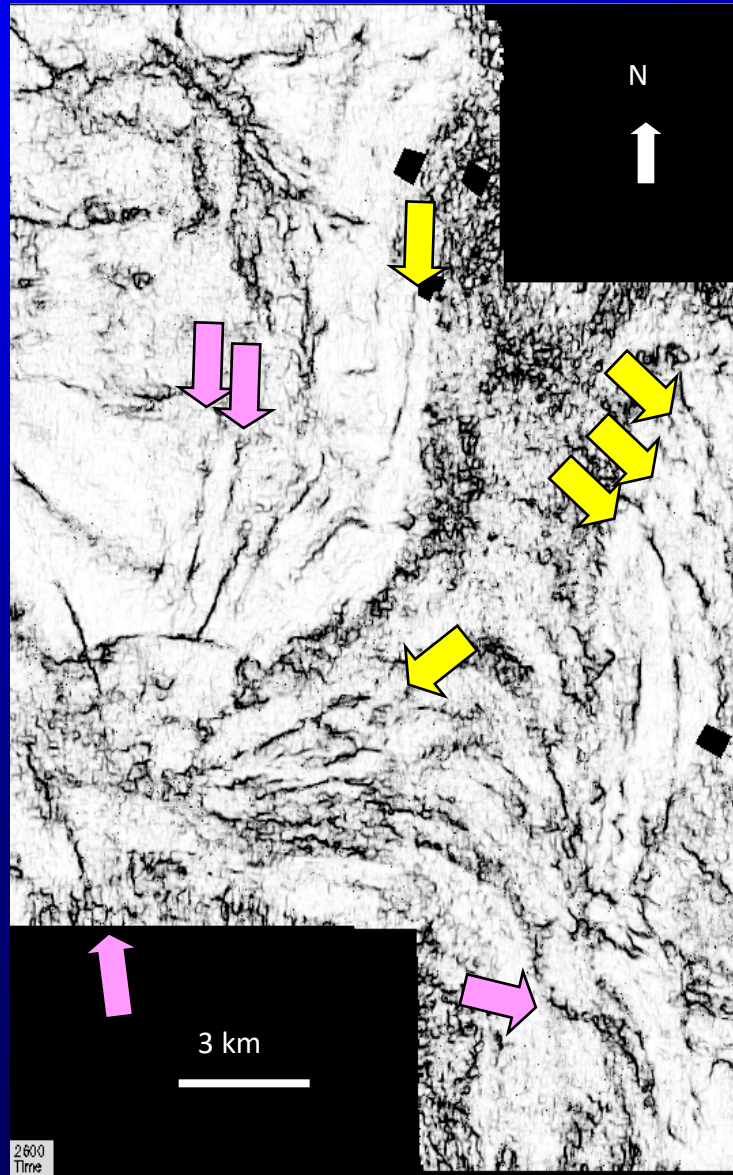
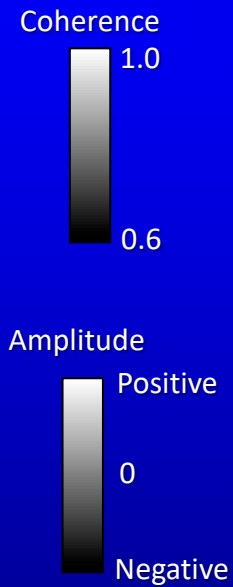


Time slice through coherence
(later semblance algorithm)



(Haskell et al. 1995)

Appearance of faults perpendicular and parallel to strike

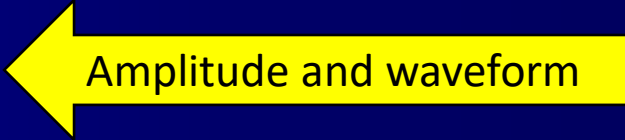
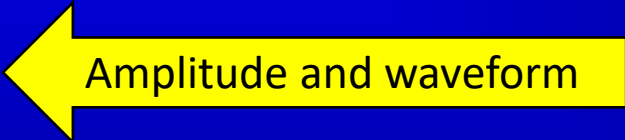
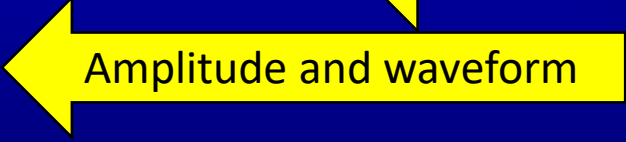


Coherence

Amplitude

(Chopra and Marfurt, 2007)

Alternative measures of waveform similarity

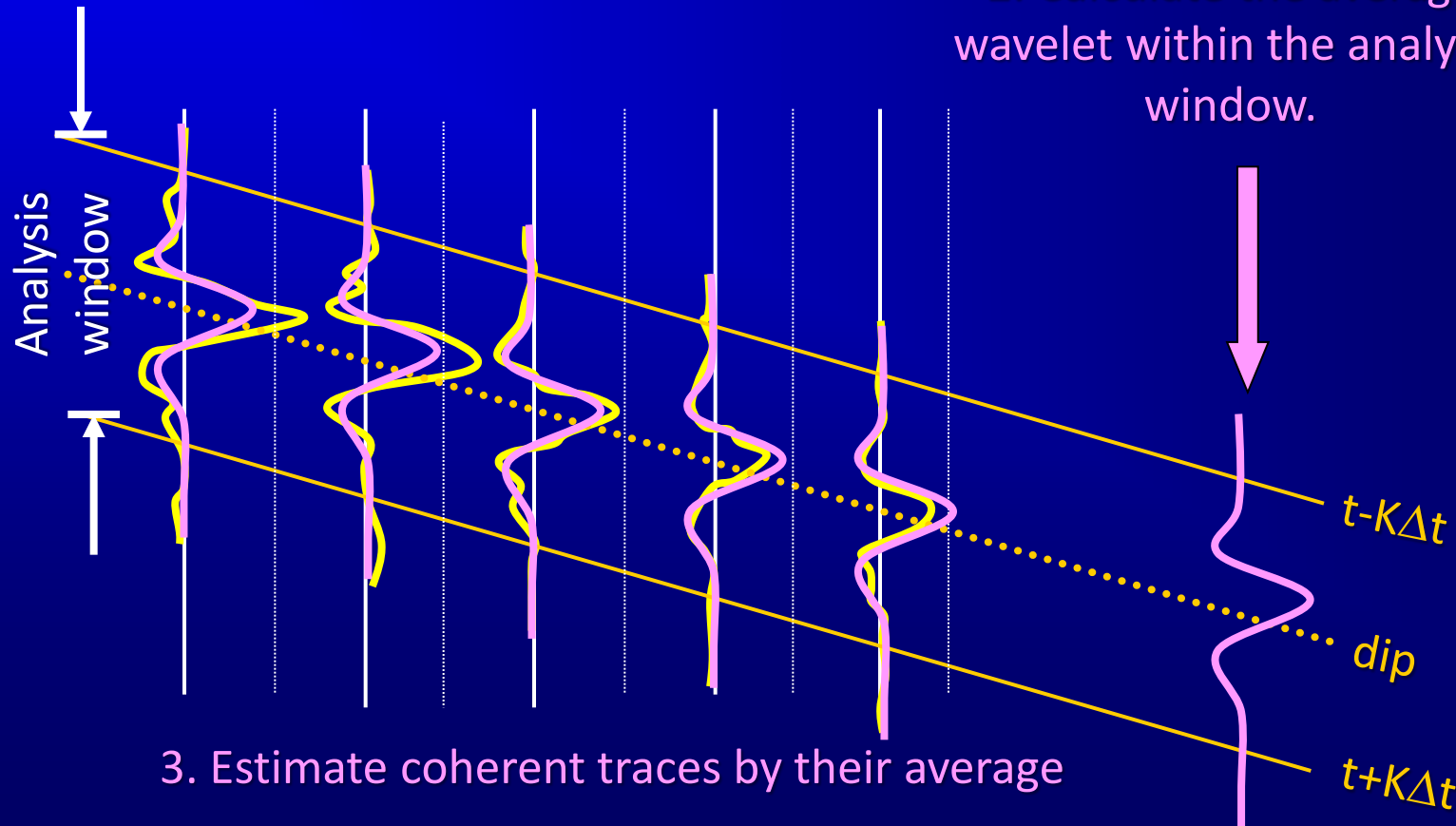
- Cross correlation  Waveform only
- Semblance, variance, and Manhattan distance similarity 
- Sobel filter 
- Eigenstructure and energy ratio similarity 
- Gradient Structural Tensor “chaos” 
- Plane-wave destructors 

Semblance estimate of coherence

5. Coherence $\equiv$
$$\frac{\text{Energy of average trace}}{\text{Average energy of input traces}}$$

1. Calculate energy of input traces

2. Calculate the average wavelet within the analysis window.



3. Estimate coherent traces by their average

4. Calculate energy of average traces



Semblance estimate of coherence

$$C_s = \frac{\sum_{k=-K}^{+K} \left(\frac{1}{J} \sum_{j=1}^J [u(k\Delta t - px_j - qy_j)] \right)^2}{\sum_{k=-K}^{+K} \frac{1}{J} \left(\sum_{j=1}^J [u(k\Delta t - px_j - qy_j)]^2 \right)}$$

← Energy of the average trace

← Average of the energy of all the traces



The 'Manhattan Distance: $r=|x-x_0|+|y-y_0|$



The “as the crow flies” (or Pythagorean) distance
 $r=[(x-x_0)^2+(y-y_0)^2]^{1/2}$



Manhattan distance estimate of coherence

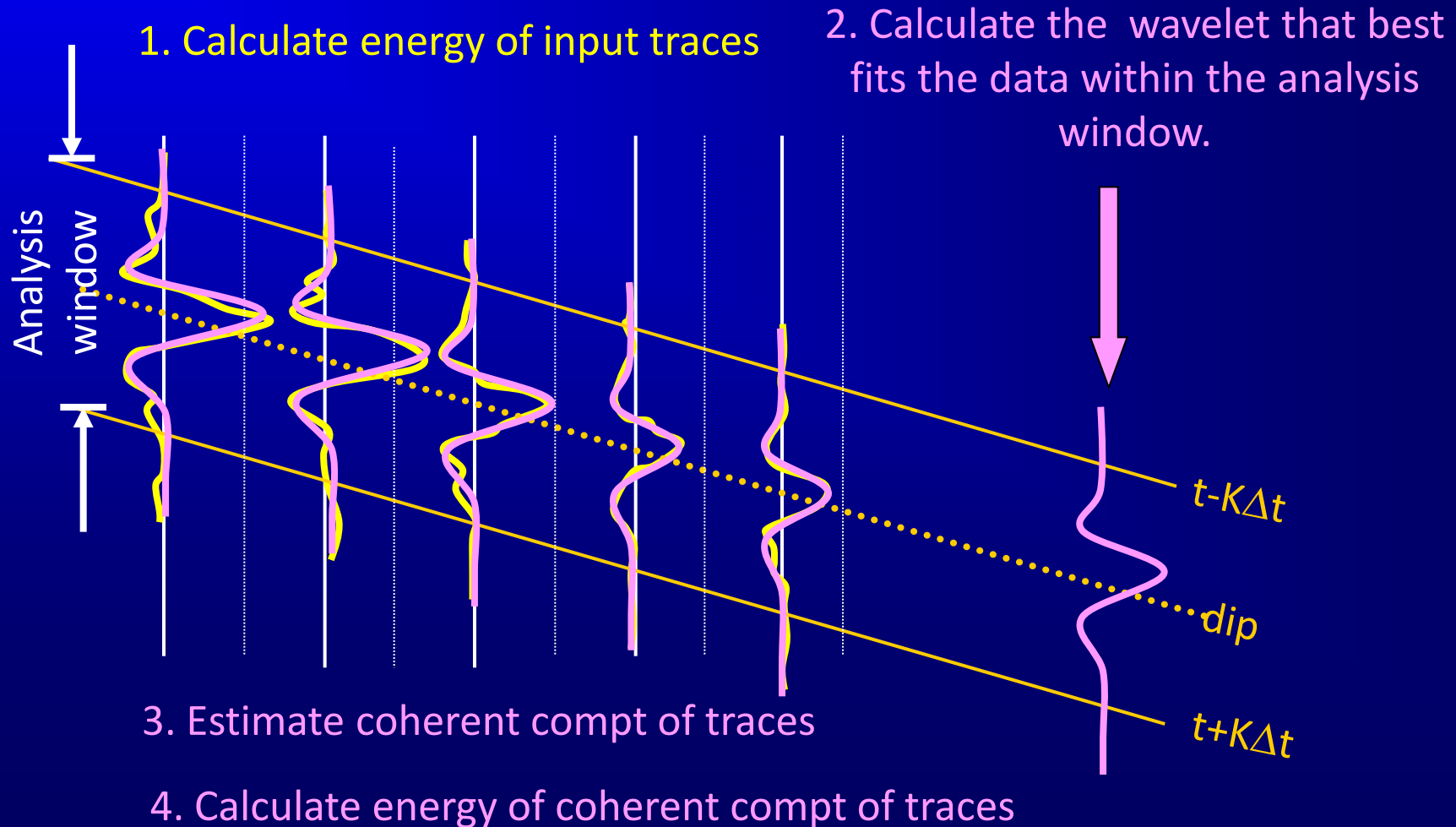
$$C_s = \frac{\sum_{k=-K}^{+K} \frac{1}{J} \left| \sum_{j=1}^J u(k\Delta t - px_j - qy_j) \right|}{\sum_{k=-K}^{+K} \frac{1}{J} \sum_{j=1}^J |u(k\Delta t - px_j - qy_j)|}$$

← Absolute value of
the average trace

← Average of the
absolute value of all
the traces

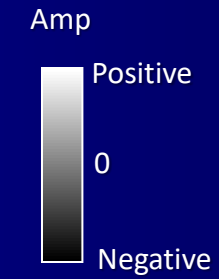
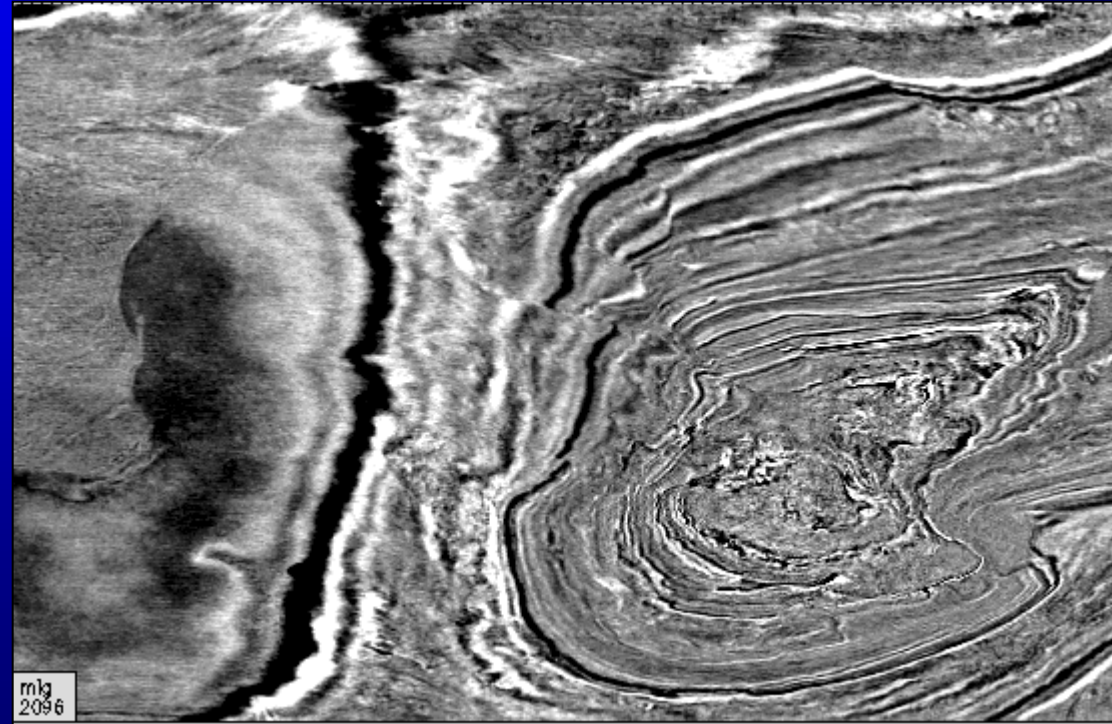
Eigenstructure estimate of coherence

5. Coherence $\equiv$
$$\frac{\text{Energy of coherent compt}}{\text{Energy of input traces}}$$



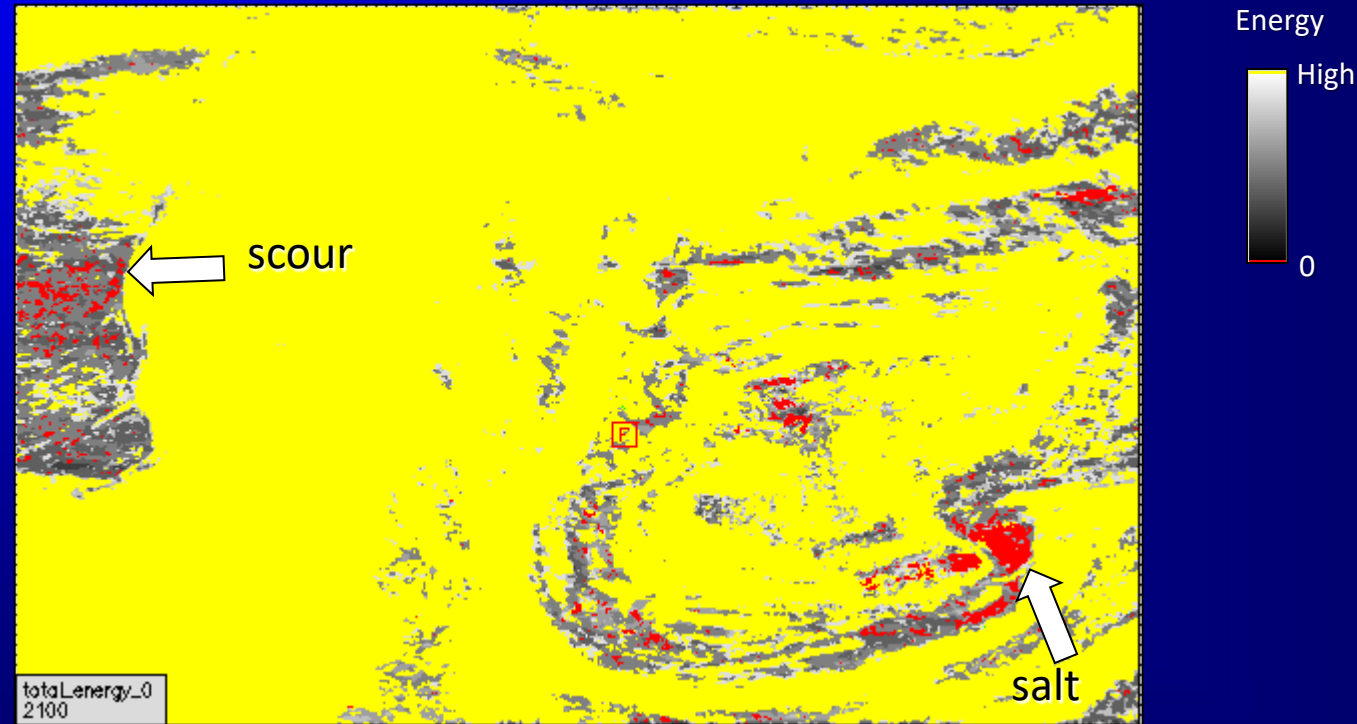
Eigenstructure coherence:

Time slice through seismic



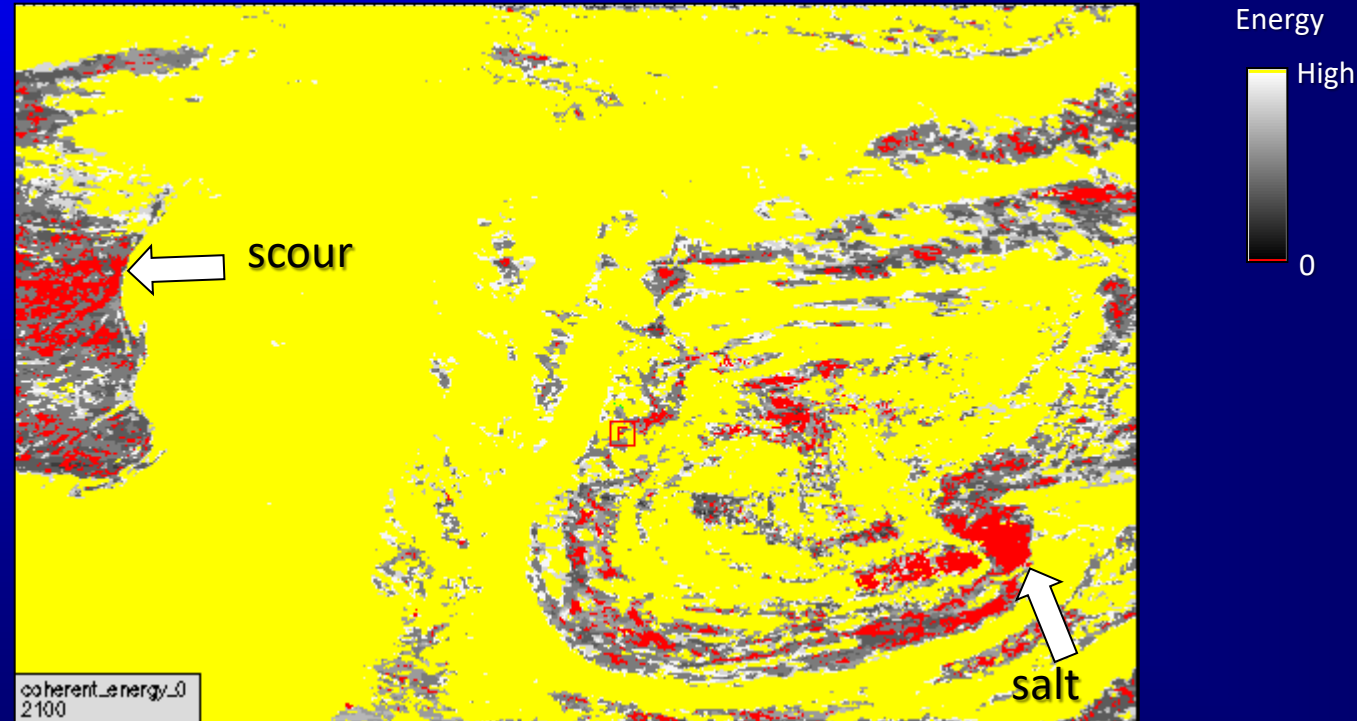
Eigenstructure coherence:

Time slice through total energy in 9 trace, 40 ms window



Eigenstructure coherence:

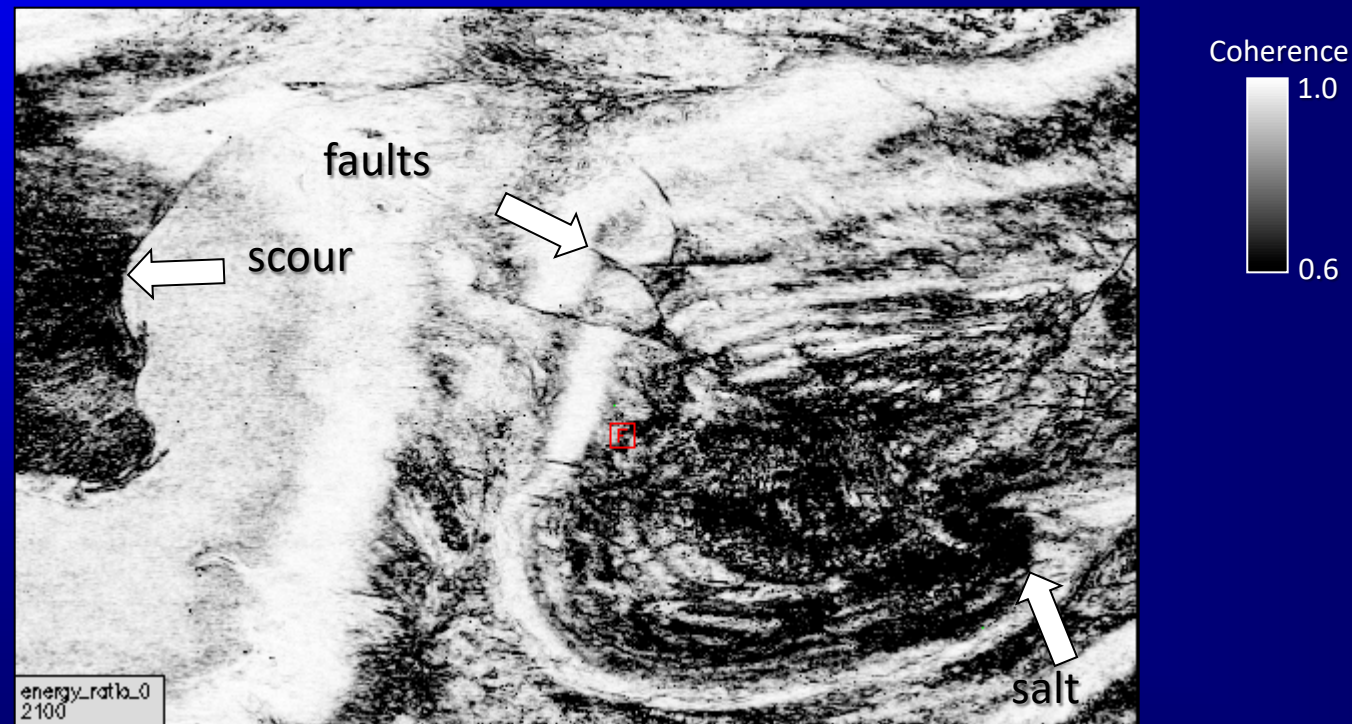
Time slice through coherent energy in 9 trace, 40 ms window



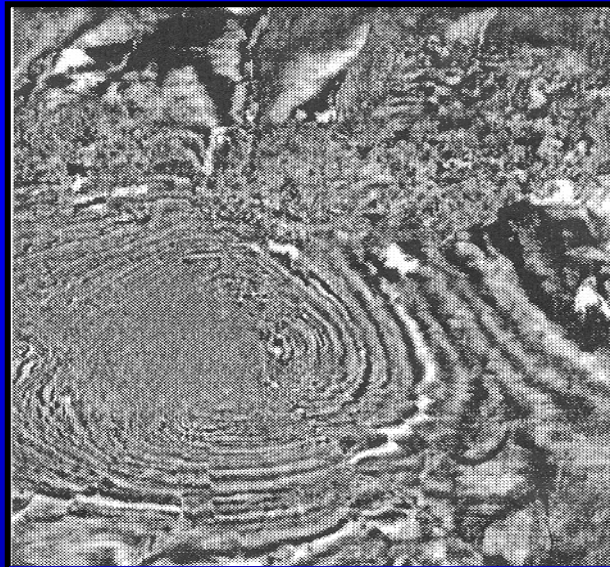


Eigenstructure coherence:

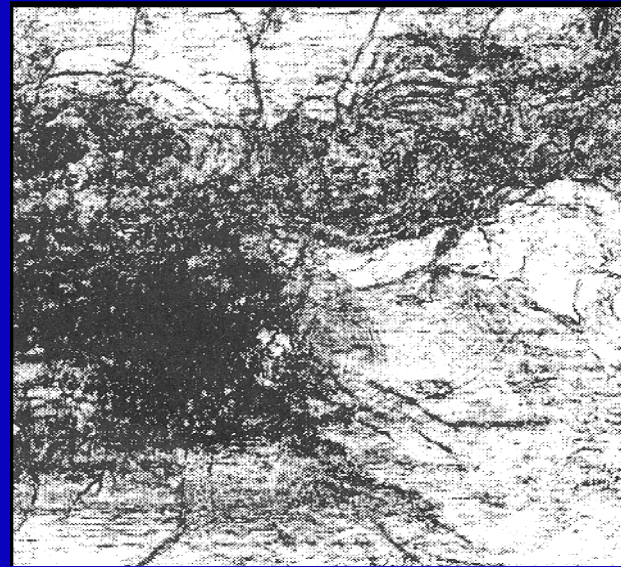
Time slice through ratio of coherent to total energy



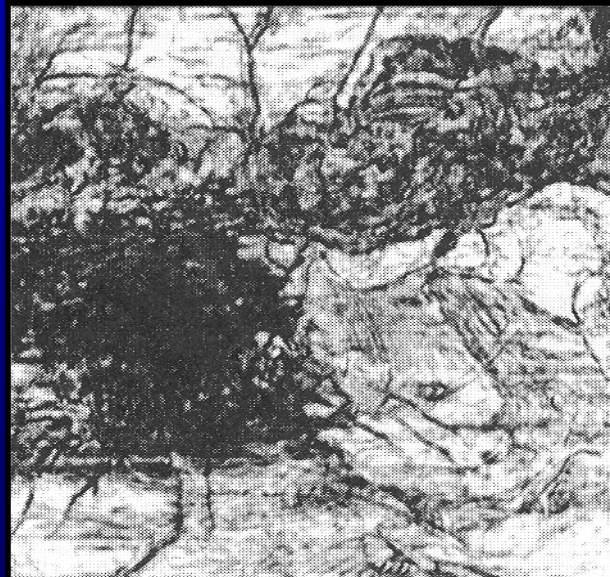
Coherence algorithm evolution



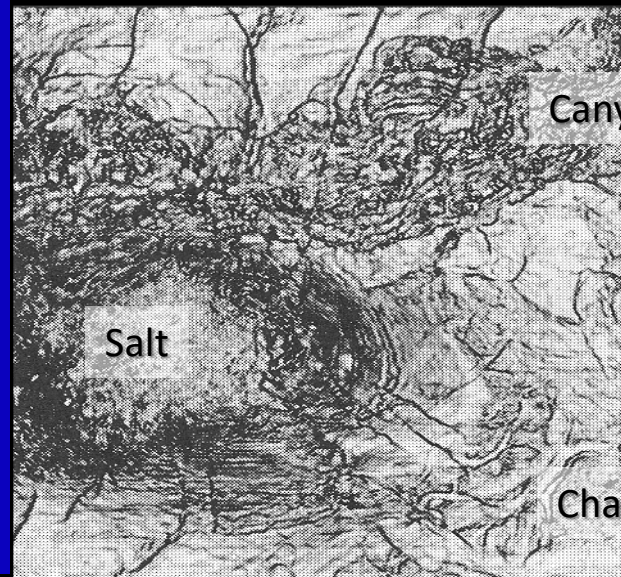
Seismic Amplitude



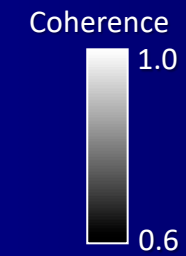
Crosscorrelation Coherence



Semblance Coherence



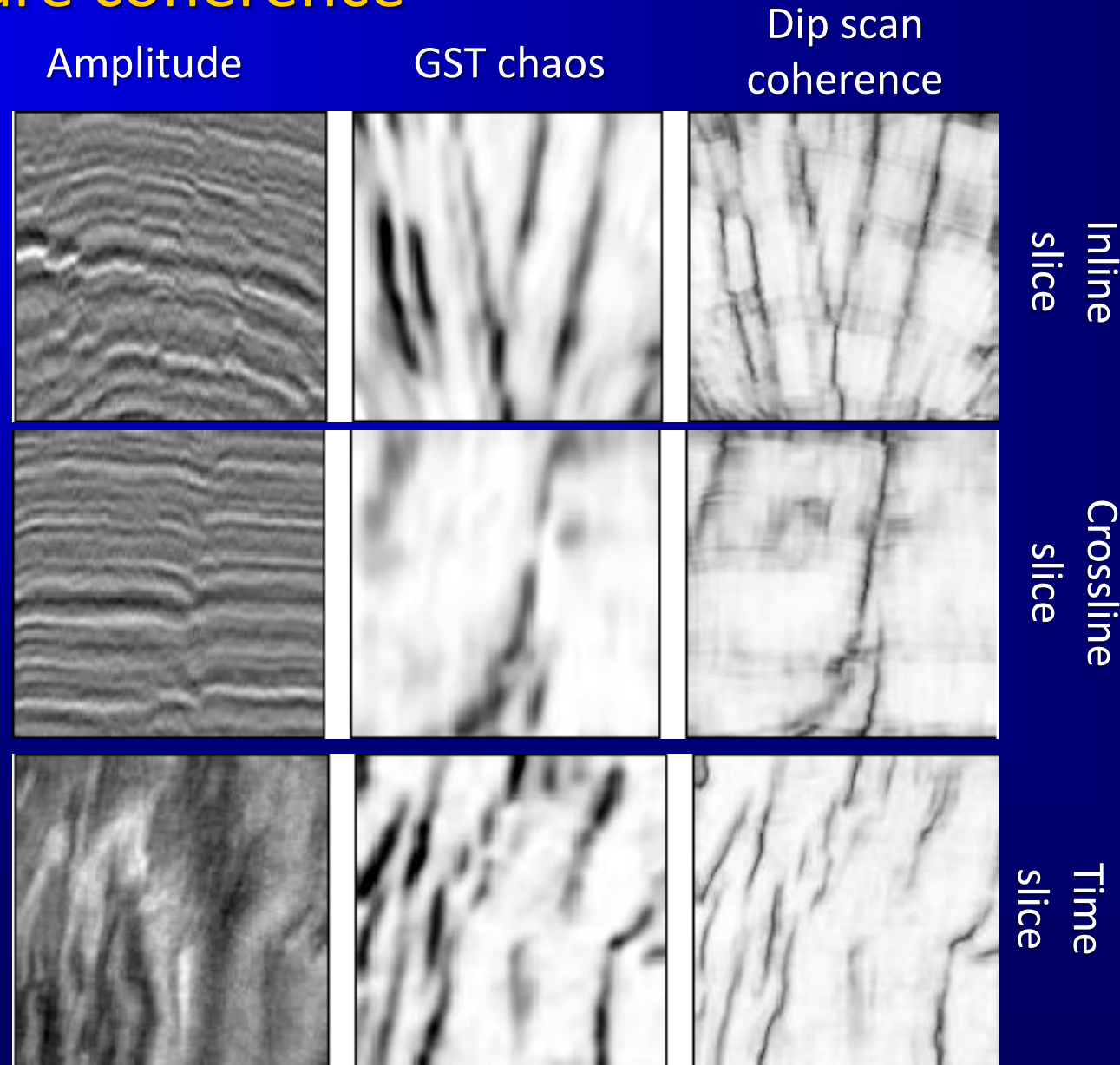
Eigenstructure Coherence



Coherence
1.0
0.6



Comparison of Gradient Structure Tensor and dip scan eigenstructure coherence



Sobel edge detector

Numerical approximation to first derivative:

$$\frac{\partial u}{\partial x} = \lim_{\Delta x \rightarrow 0} \left[\frac{u(x + \Delta x) - u(x - \Delta x)}{2\Delta x} \right]$$

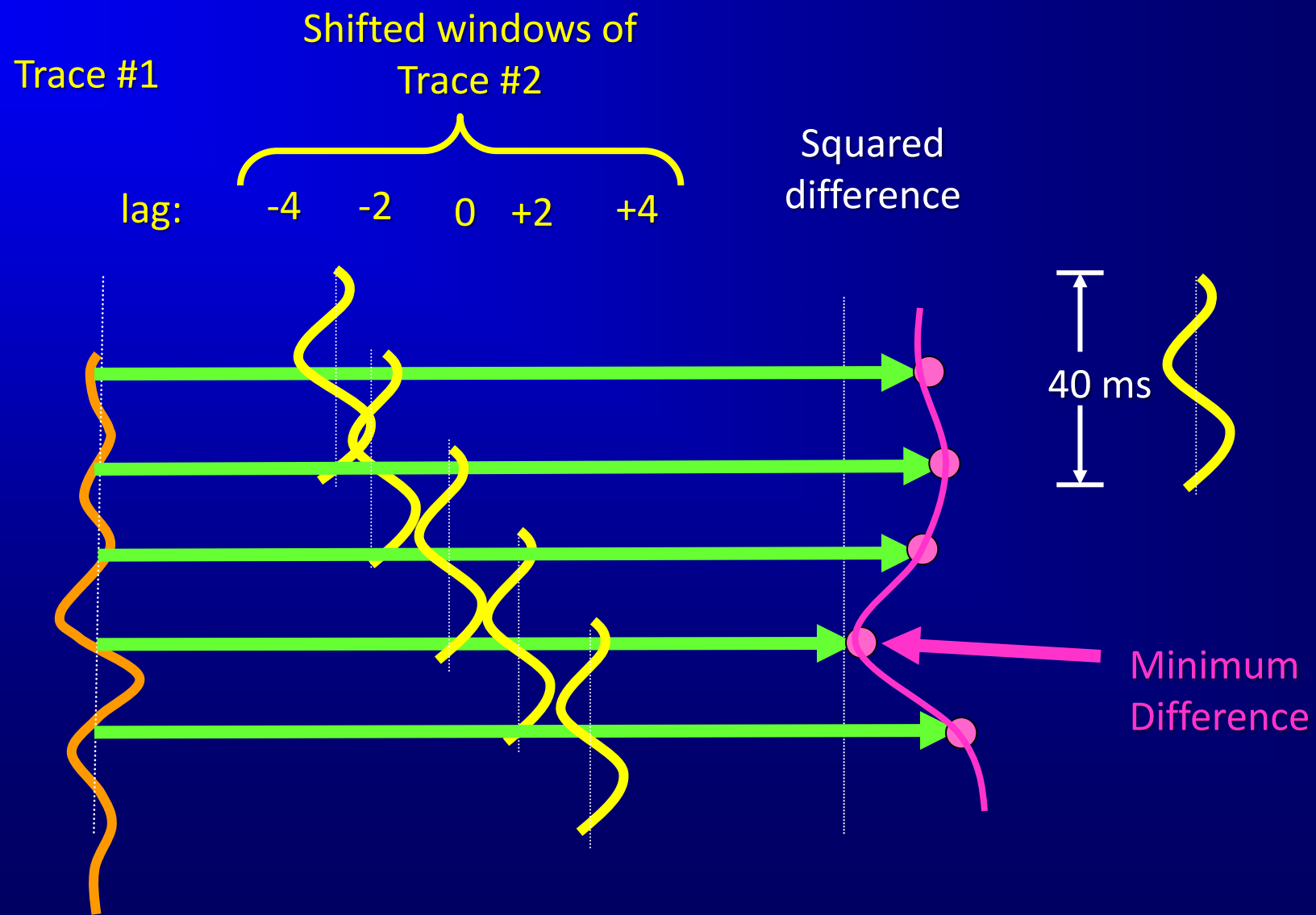


Input image, u

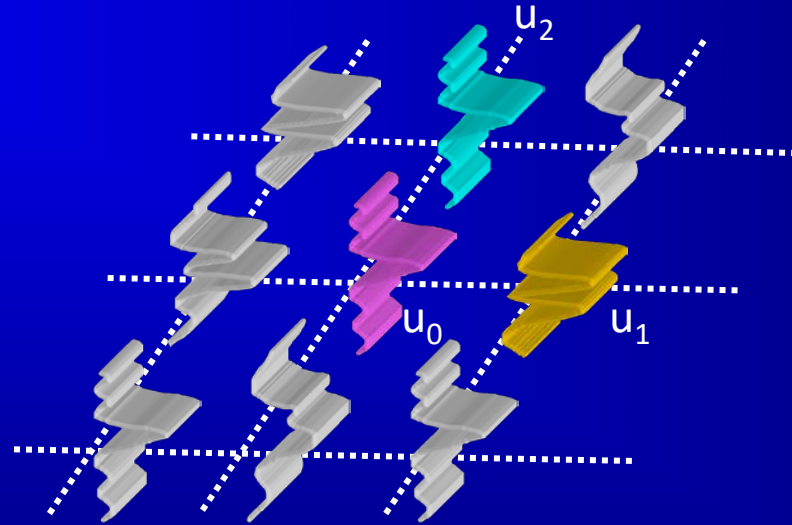


The Sobel filter: $[(du/dx)^2 + (du/dy)^2]^{1/2}$

Difference between 2 traces



Chevron's original 'Edge' algorithm

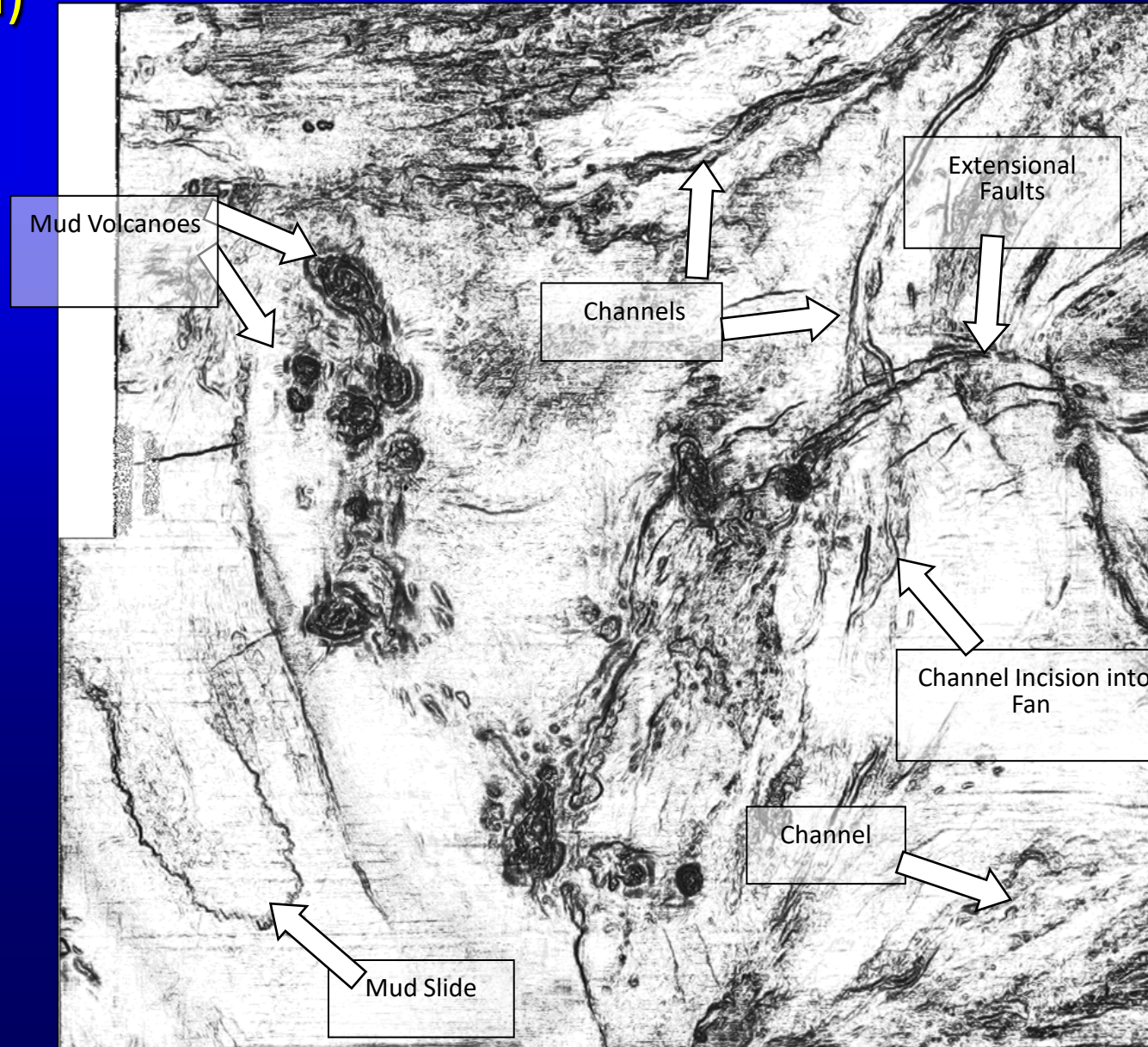


$$e(t, \tau_x, \tau_y) =$$

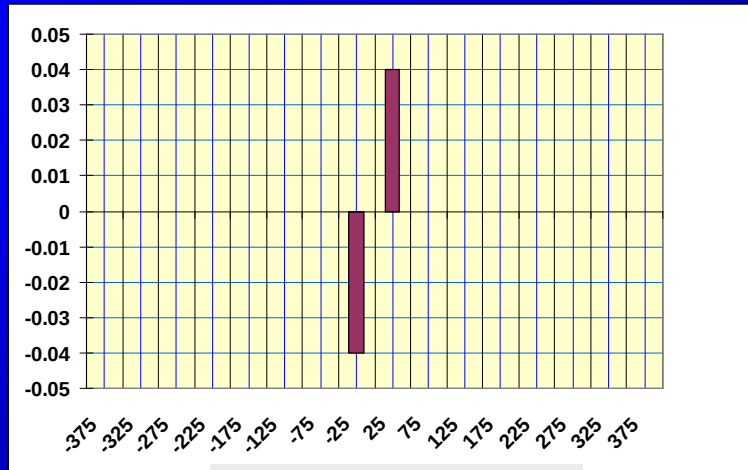
$$\frac{\left[\sum_{k=-K}^{+K} \left\{ [u_0(t + k\Delta t) - u_1(t + k\Delta t - \tau_x)]^2 + [u_0(t + k\Delta t) - u_2(t + k\Delta t - \tau_y)]^2 \right\} \right]^{1/2}}{\left[\sum_{k=-K}^{+K} \left\{ 2[u_0(t + k\Delta t)]^2 + [u_1(t + k\Delta t - \tau_x)]^2 + [u_2(t + k\Delta t - \tau_y)]^2 \right\} \right]^{1/2}}$$



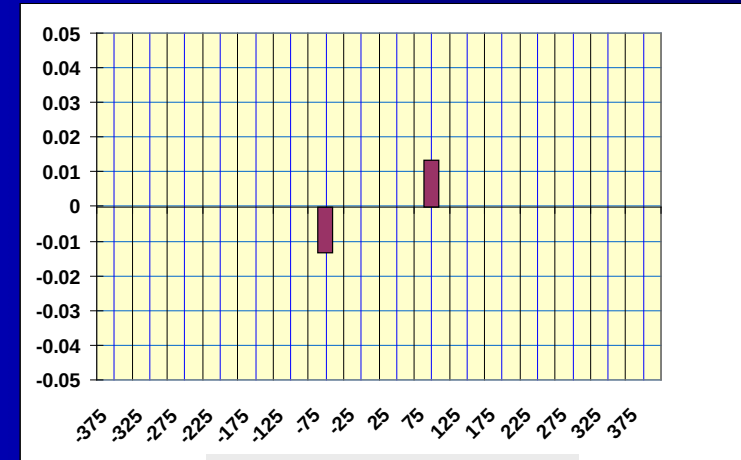
'Edge' horizon slice 200 ms below the water bottom (Offshore West Africa)



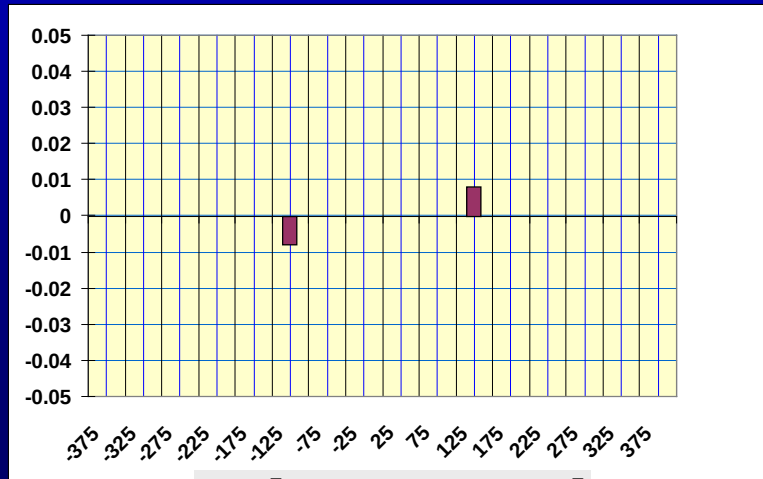
Which value of Δx should we use in a Sobel filter?



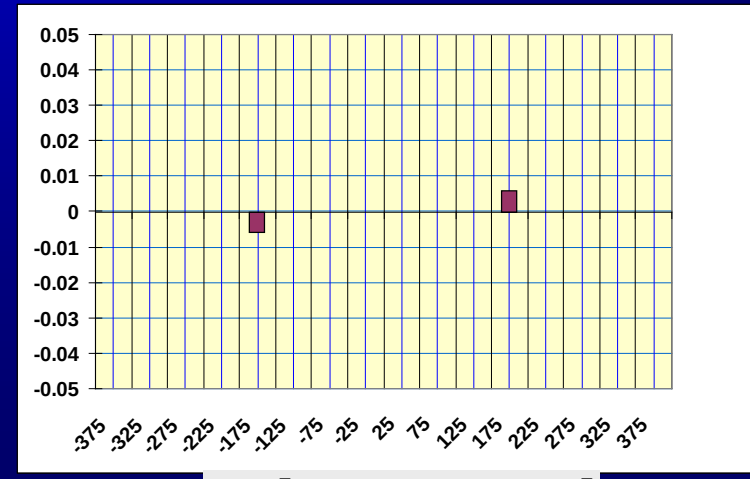
$$\frac{\partial u}{\partial x} \approx \left[\frac{u(x+25) - u(x-25)}{2(25)} \right]$$



$$\frac{\partial u}{\partial x} \approx \left[\frac{u(x+75) - u(x-75)}{2(75)} \right]$$

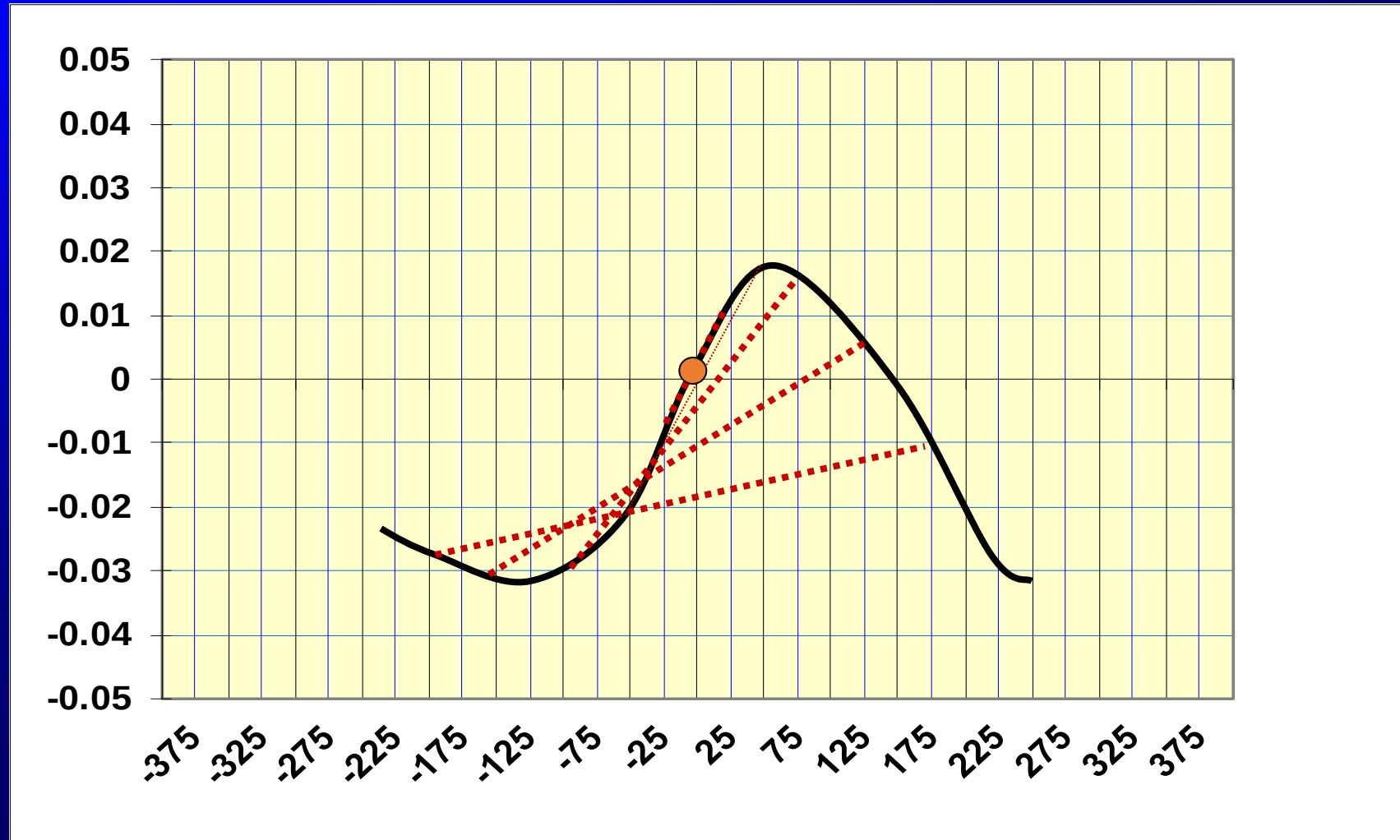


$$\frac{\partial u}{\partial x} \approx \left[\frac{u(x+125) - u(x-125)}{2(125)} \right]$$

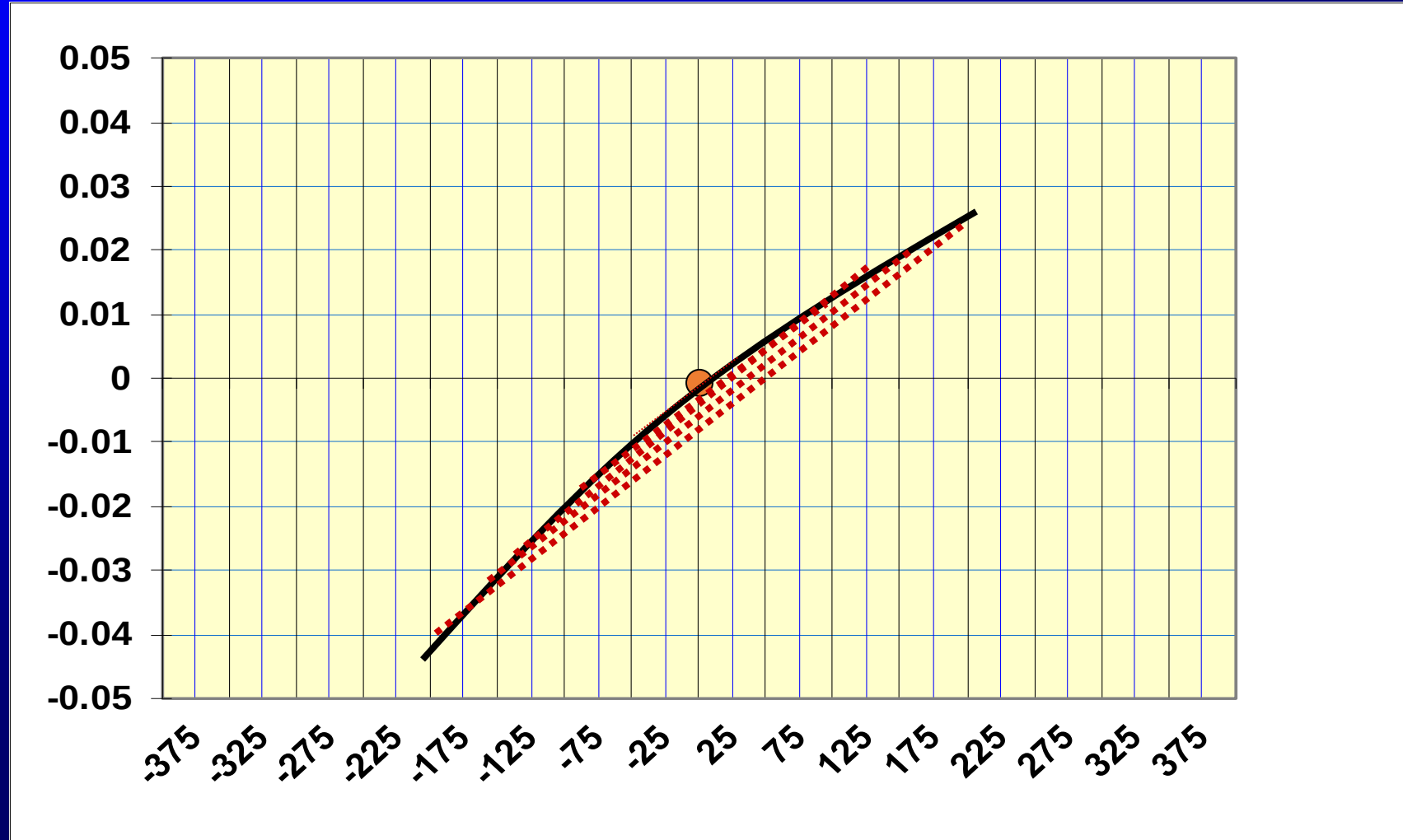


$$\frac{\partial u}{\partial x} \approx \left[\frac{u(x+175) - u(x-175)}{2(175)} \right]$$

Alternative choices of Δx provide different estimates of derivative

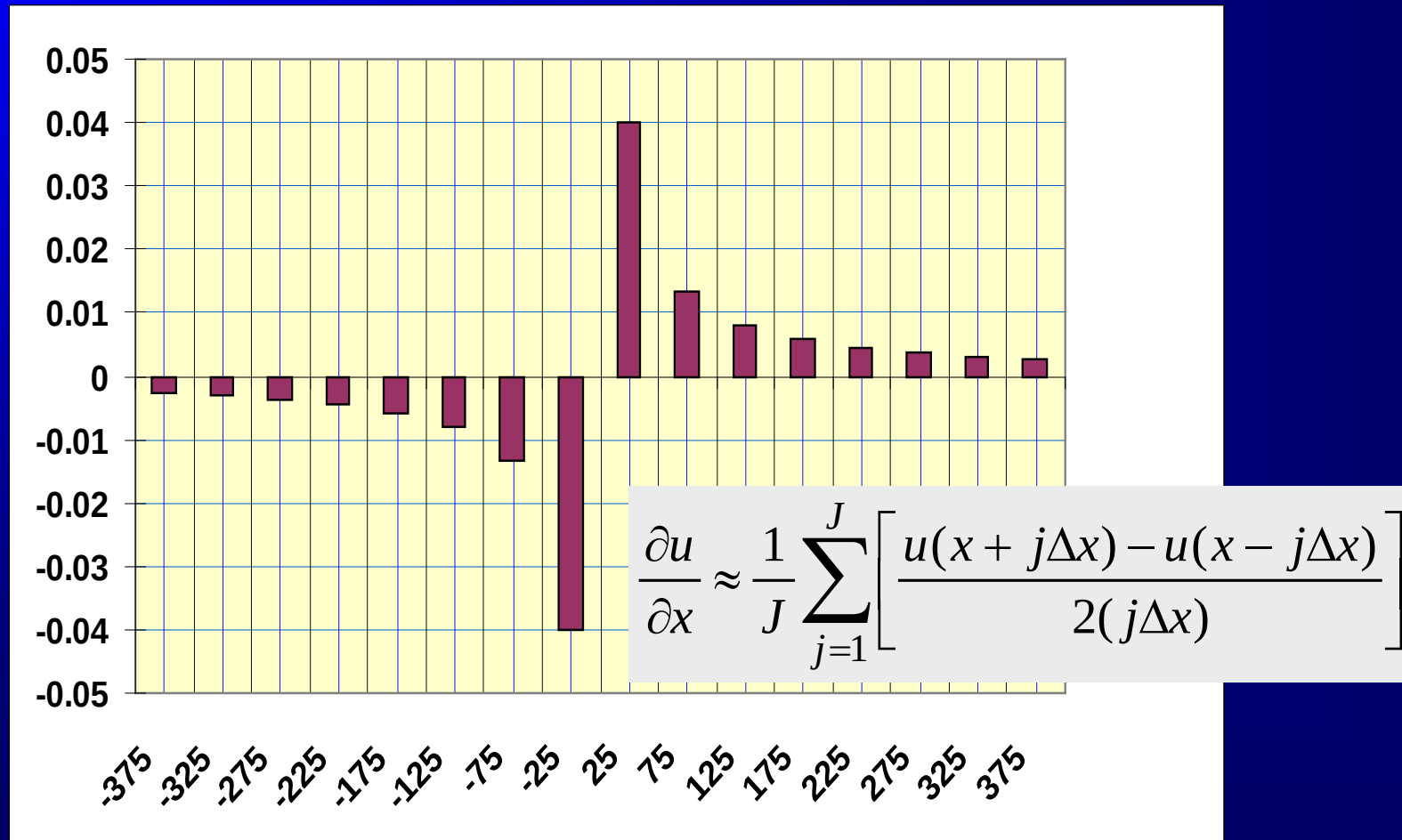


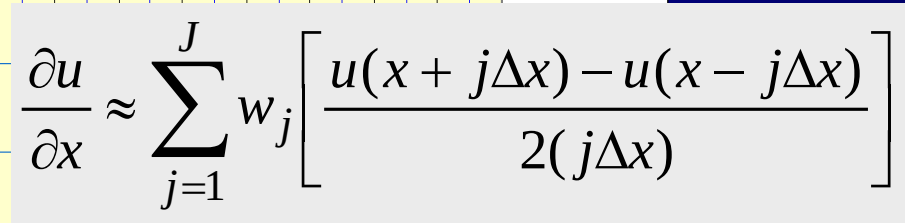
If the slope is long wavelength, estimates are similar



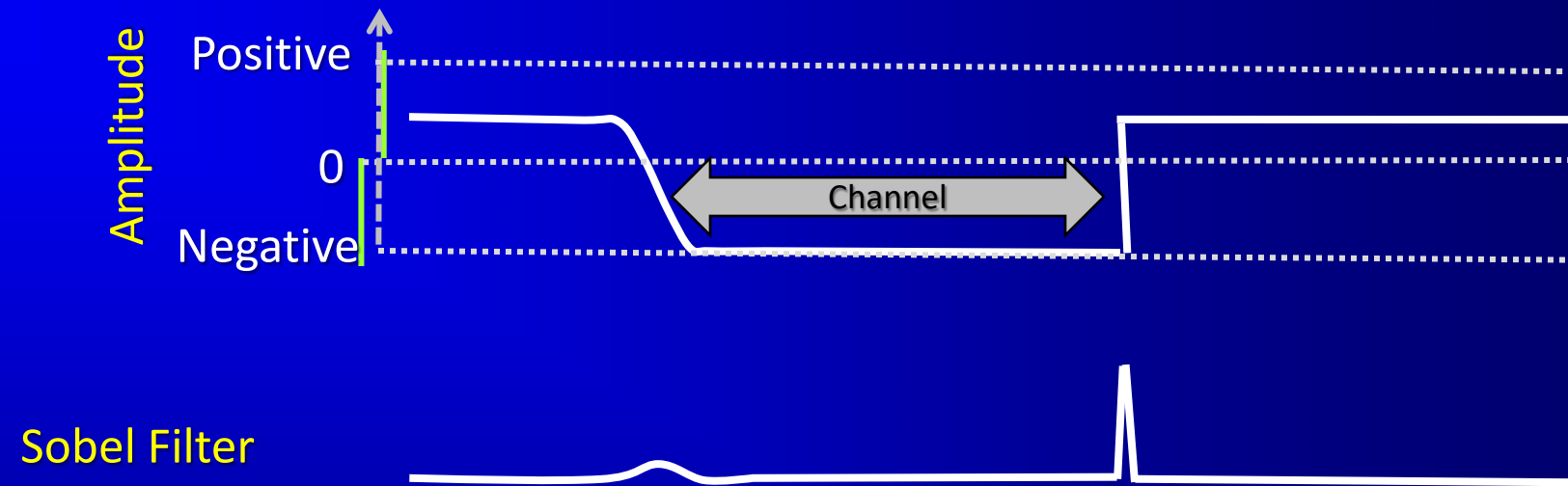


For long wavelength estimate, we could use all values of Δx !
(Luo et al.'s (2003) Hilbert transform edge detector)

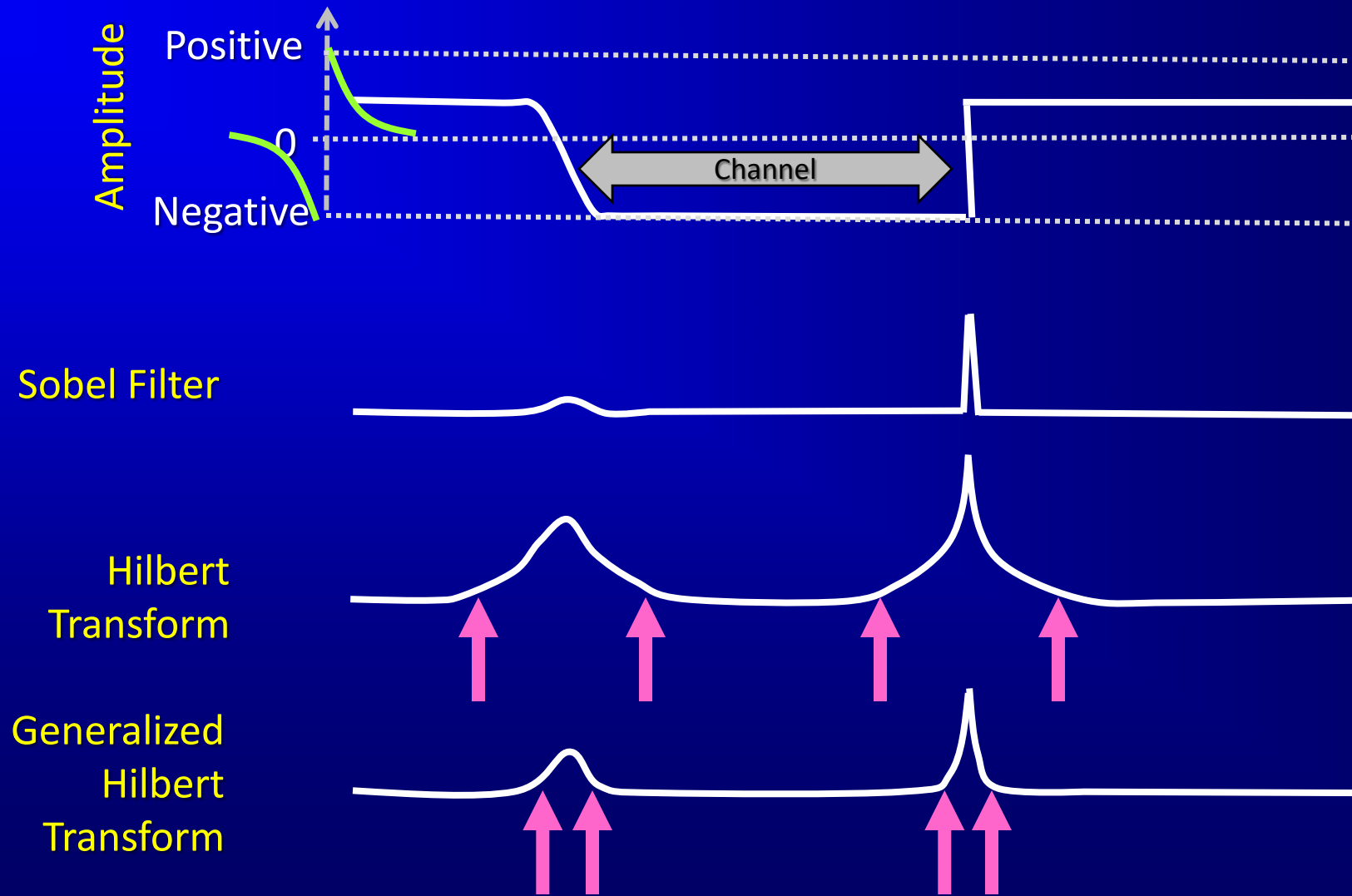




A 'short wavelength' edge detector

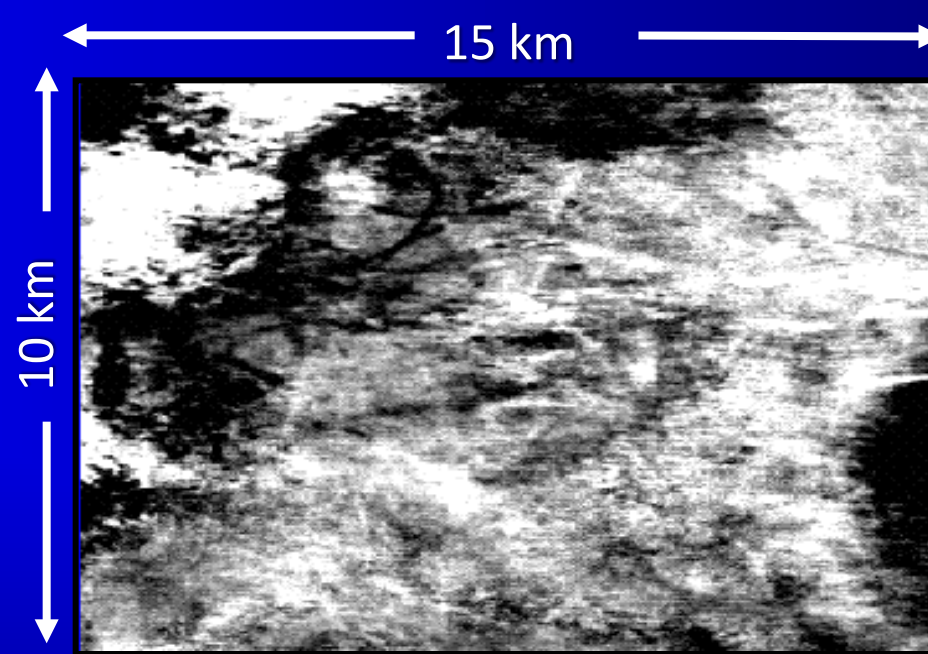


A 'long wavelength' edge detector

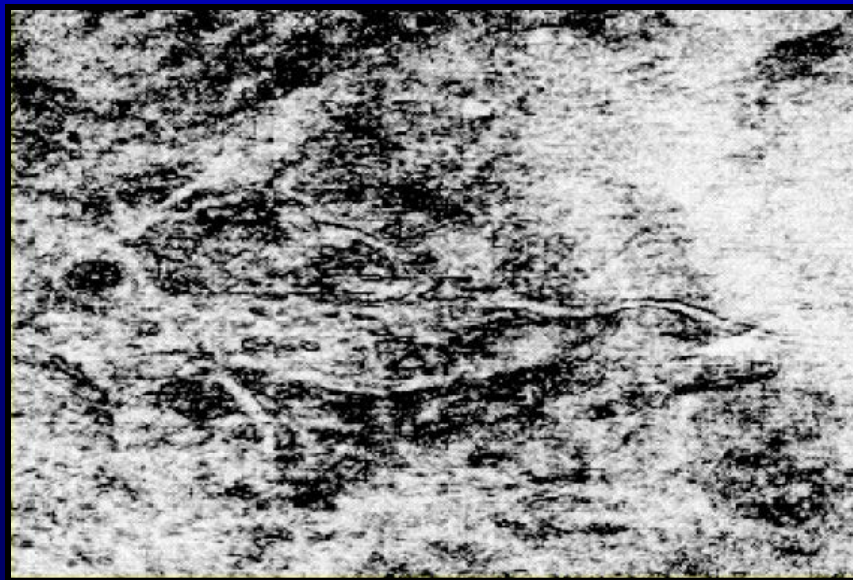




Saudi Arabia (Time slice?)



Amplitude



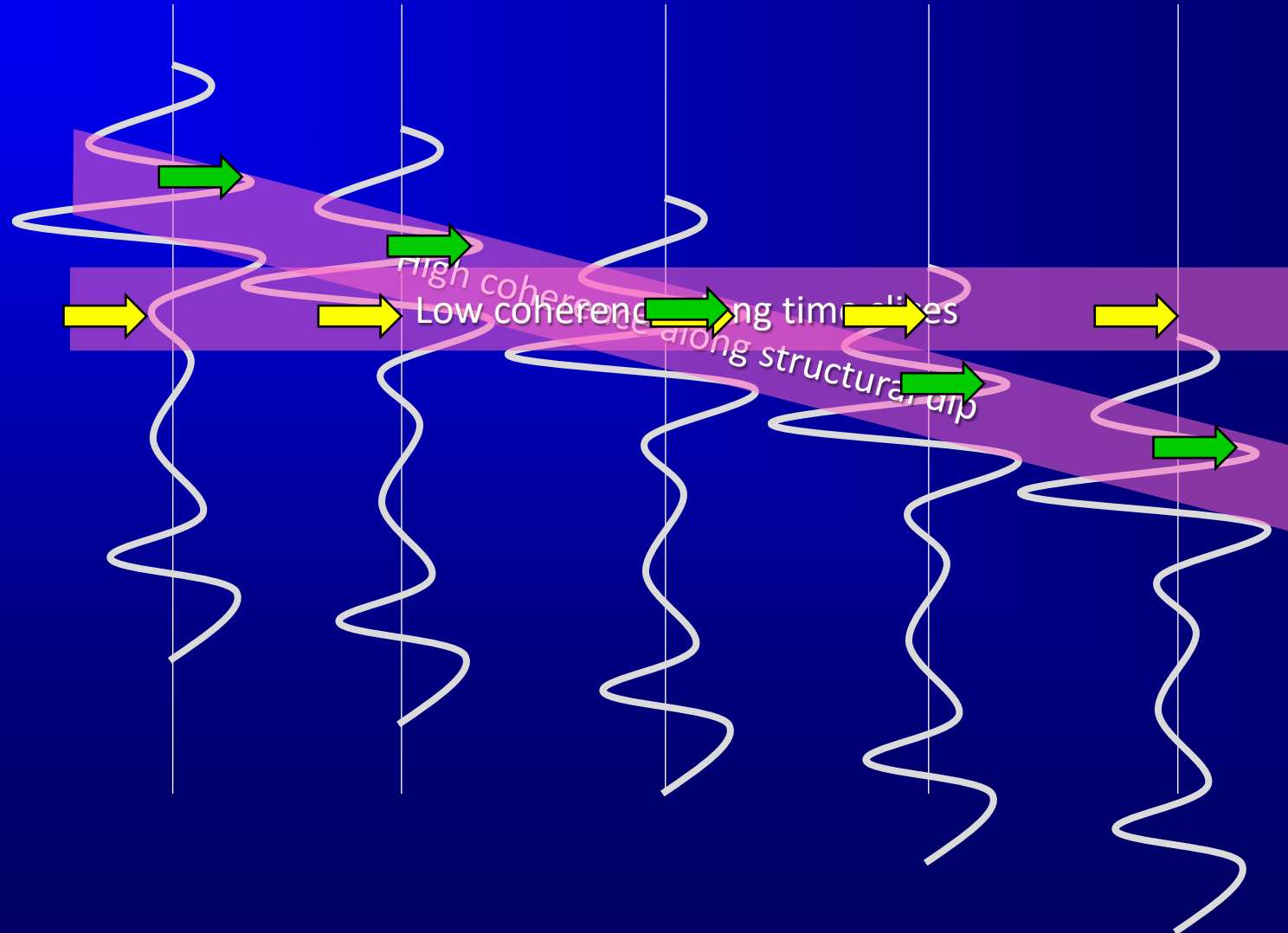
Eigenstructure coherence



Generalized Hilbert Transform

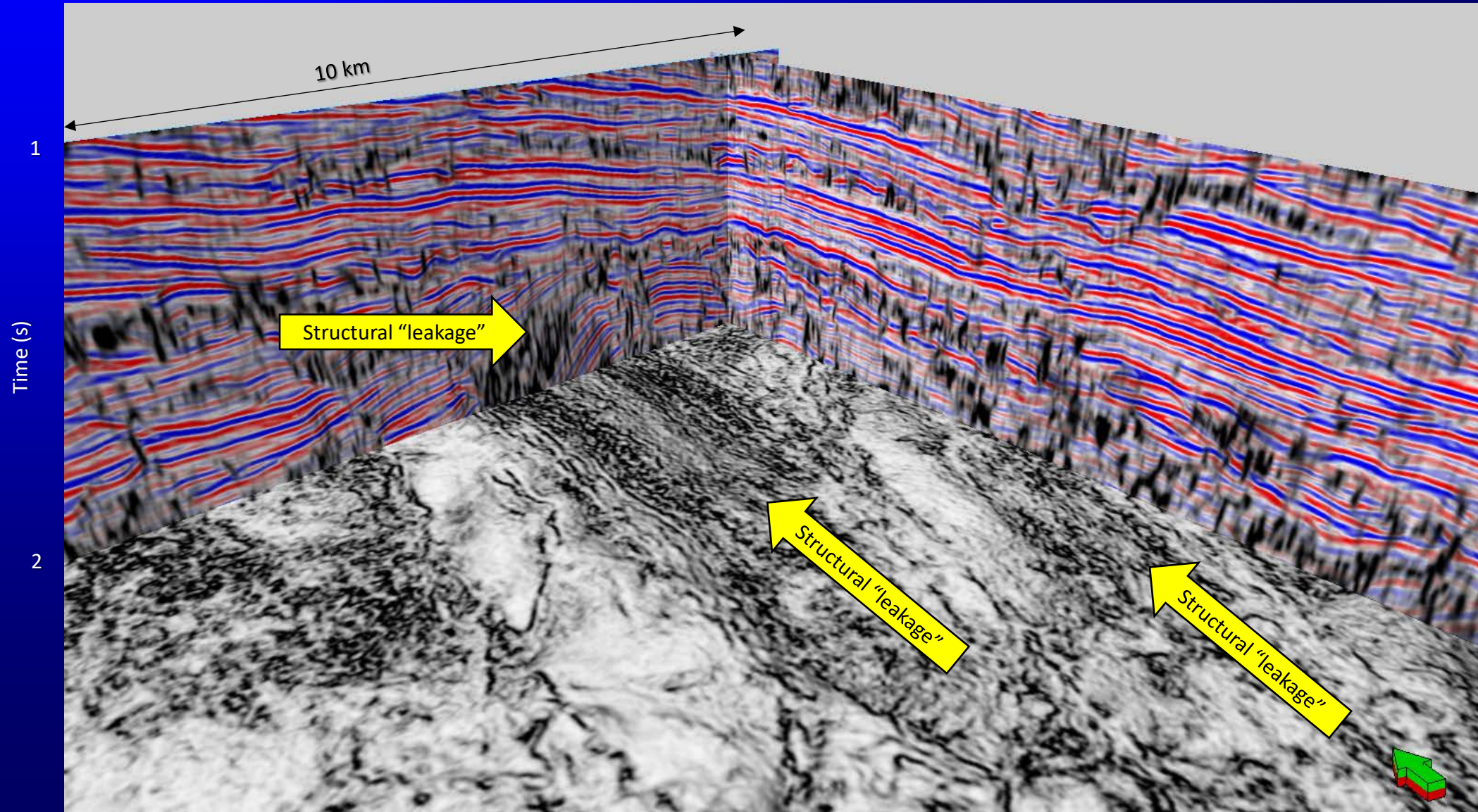
Pitfalls associated with blindly trusting default parameters

Not computing coherence along structure



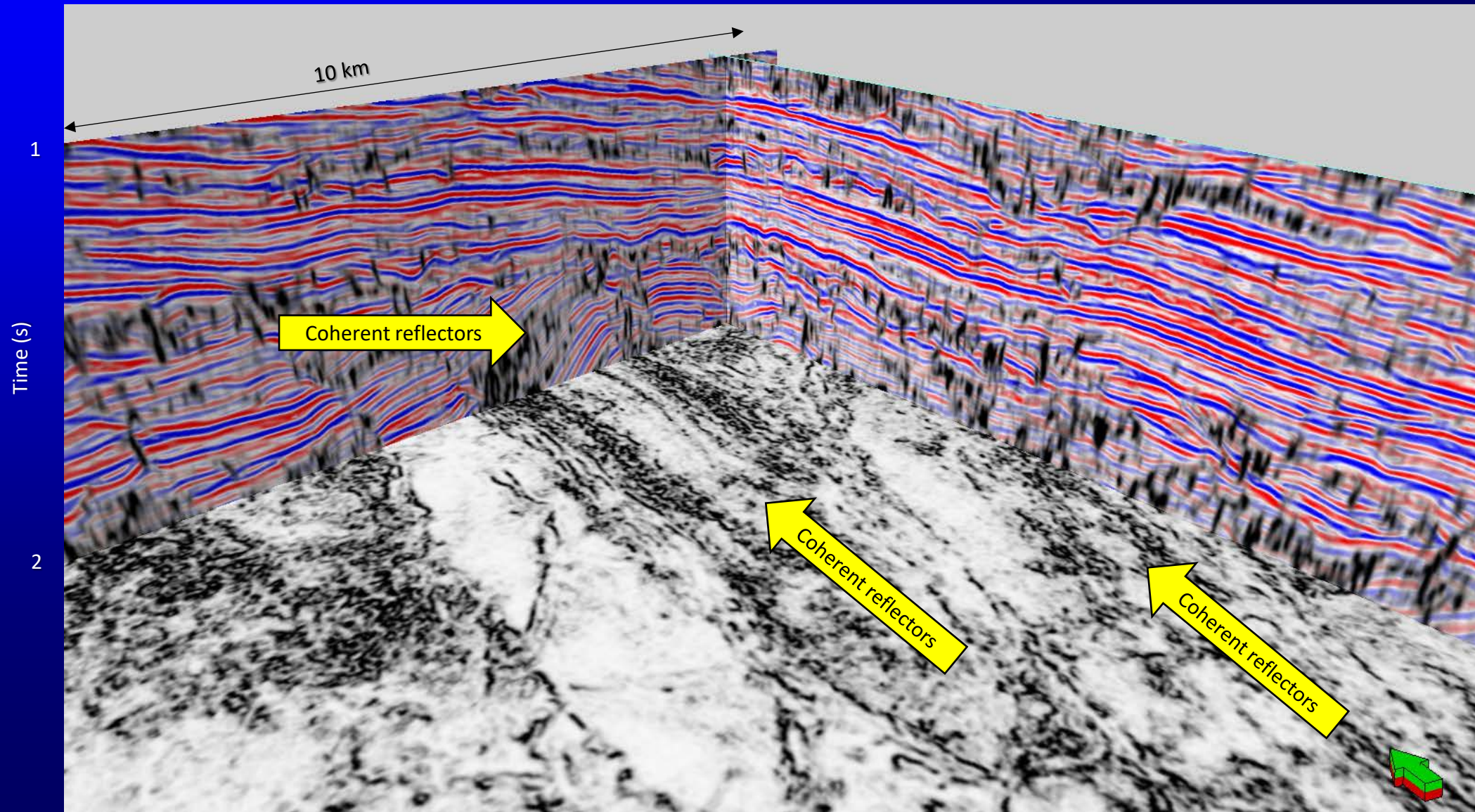
Pitfalls associated with blindly trusting default parameters

Pitfall: Computing coherence along (default) time slices



Pitfalls associated with blindly trusting default parameters

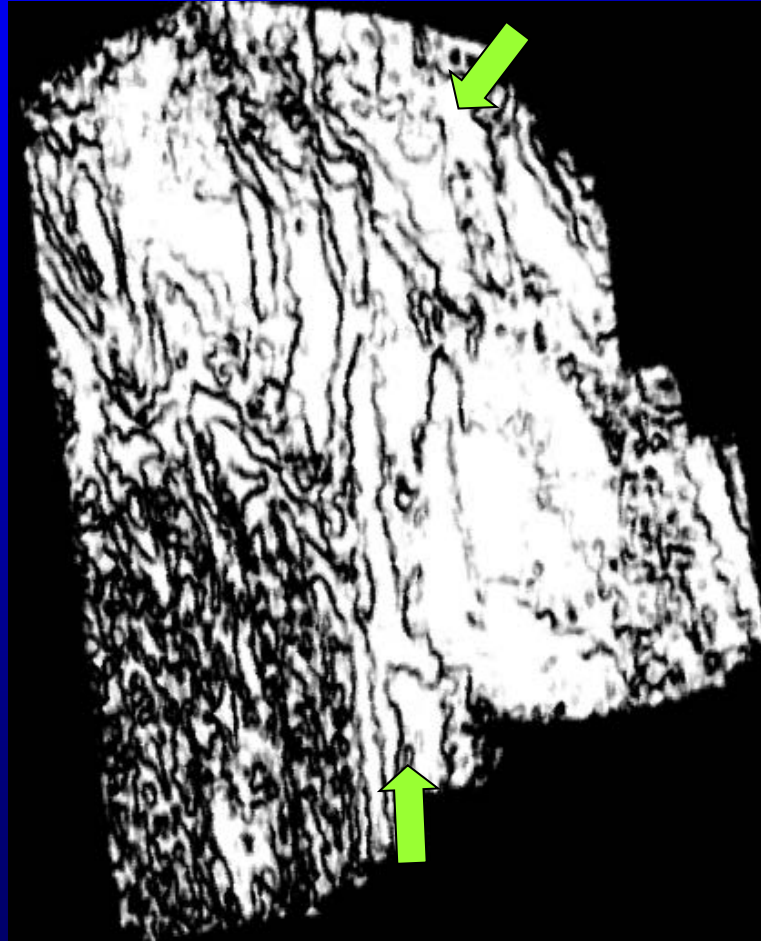
Solution: Compute coherence along structure



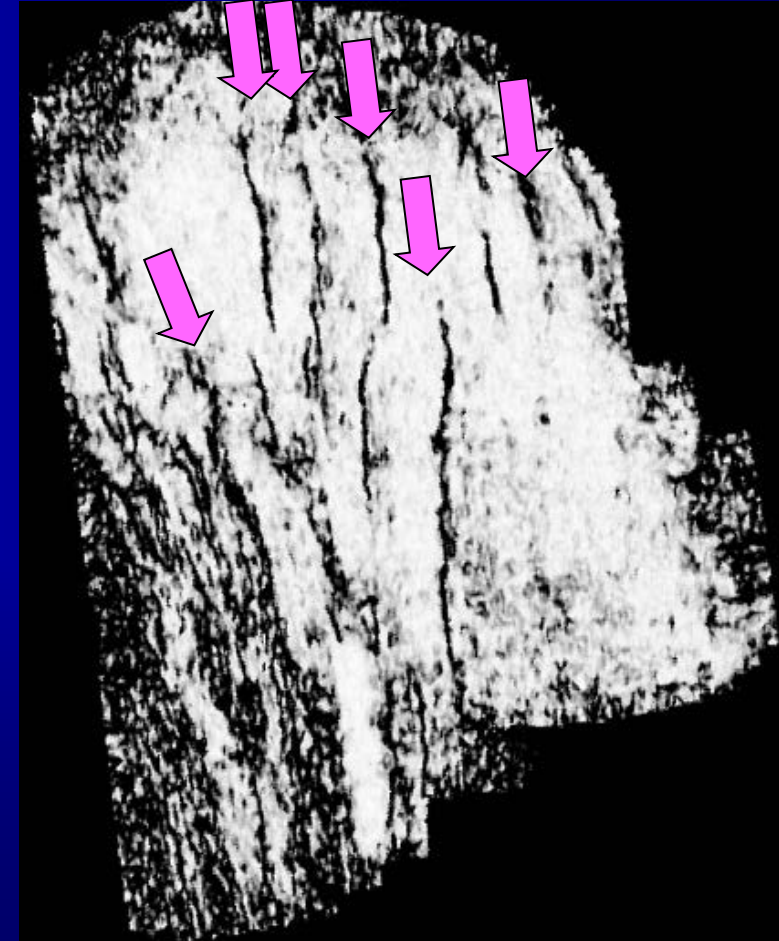
Pitfalls associated with blindly trusting default parameters

Pitfall: Computing coherence along (default) time slices

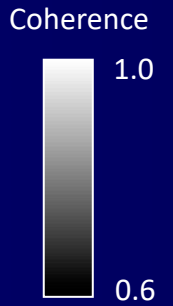
“Structural Leakage”
resulting in contour
artifacts



Coherence computed along a
time slice



Coherence computed along
structure



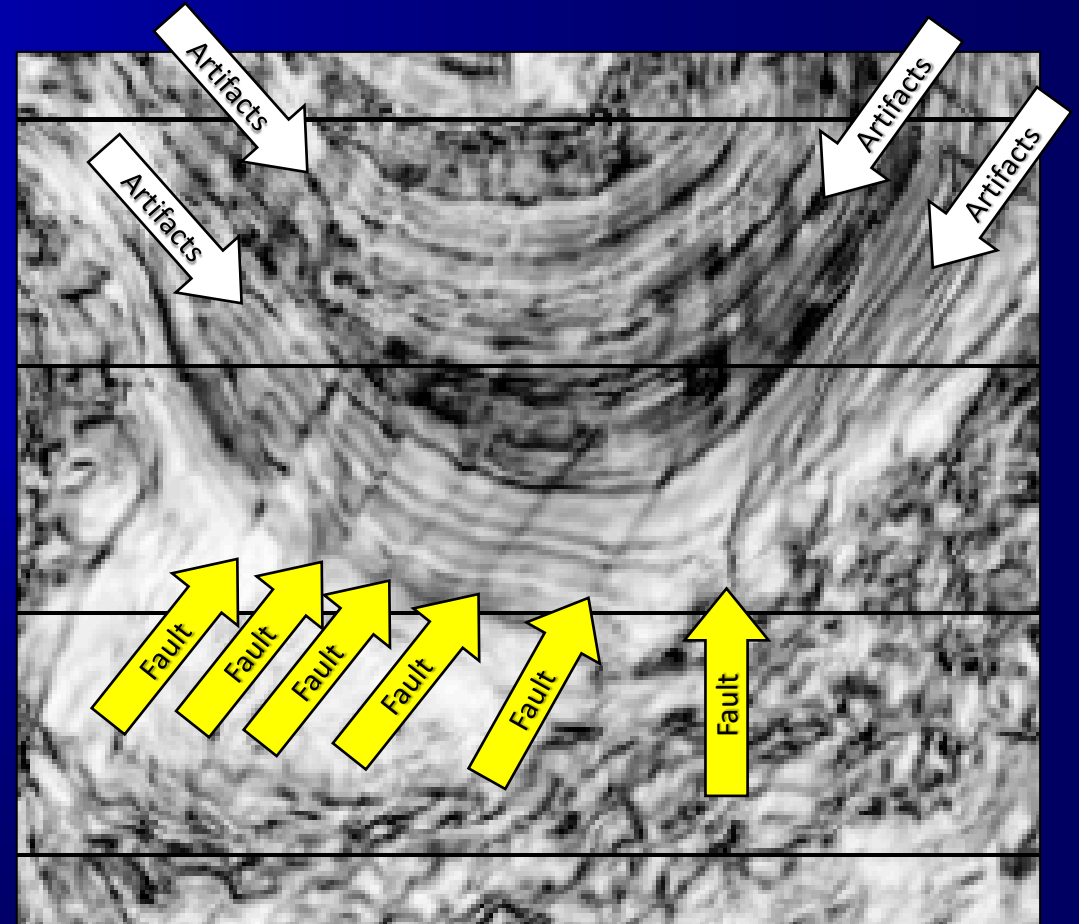
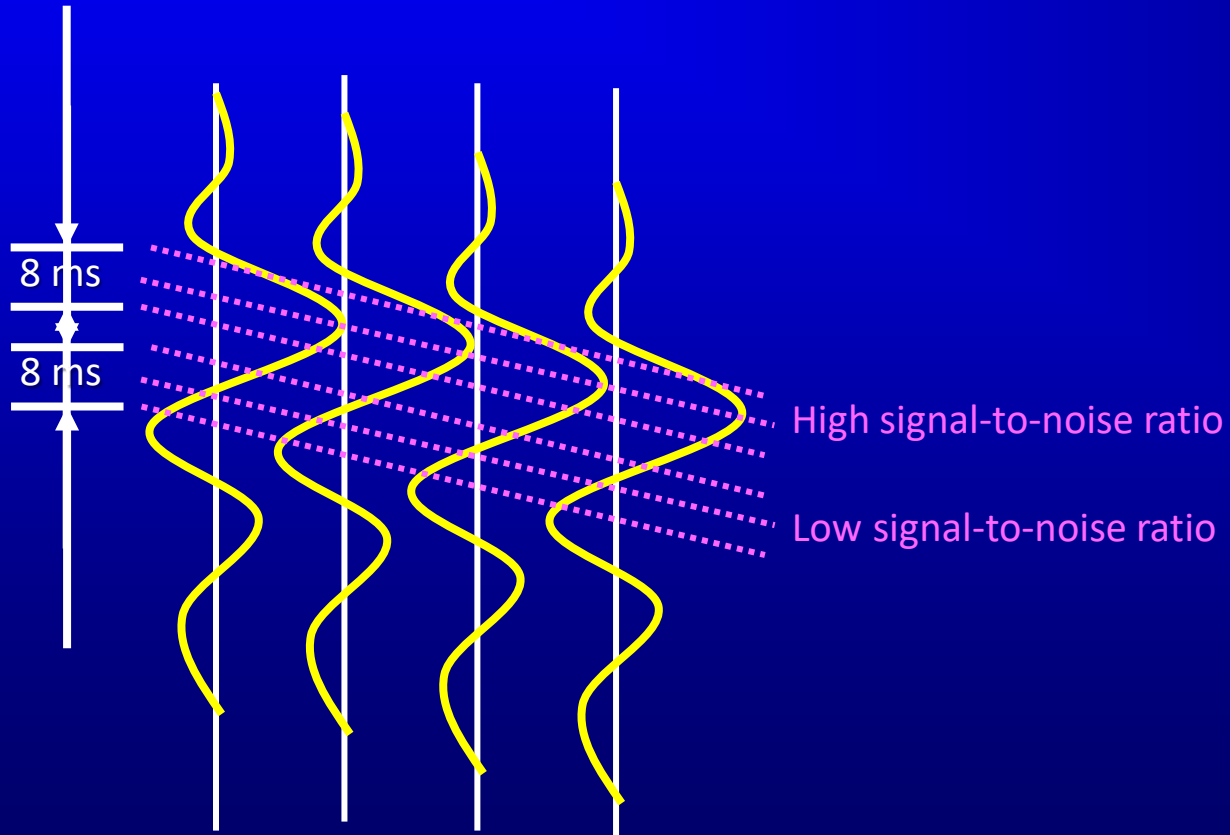
(Chopra and Marfurt, 2008)





Pitfalls and algorithm limitations:

Artifacts when using small windows about amplitude zero-crossings

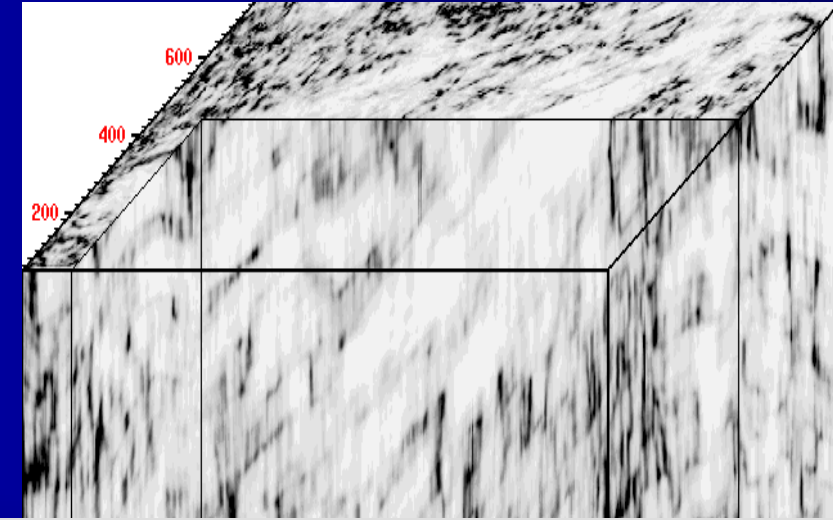
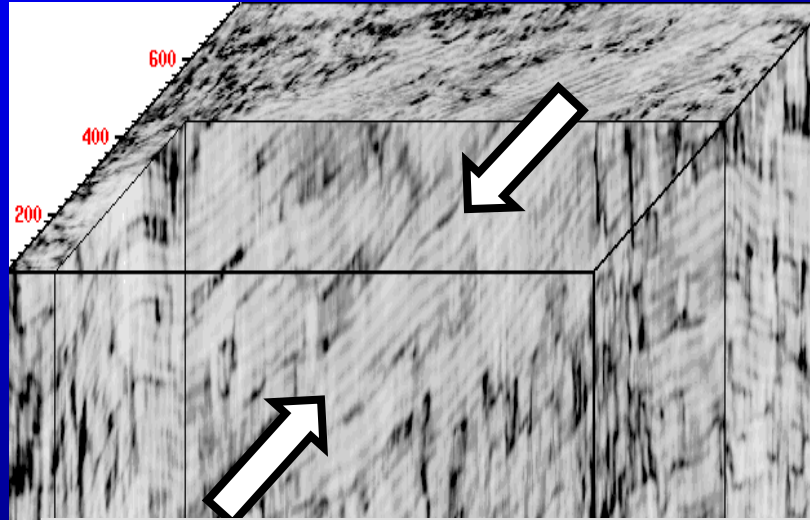




Pitfalls and algorithm limitations:

Artifacts when using small windows about amplitude zero-crossings

Solution: Calculate the coherence of the analytic trace



$$C_s = \frac{\sum_{k=-K}^{+K} \left(\frac{1}{J} \sum_{j=1}^J [u(k\Delta t - px_j - qy_j)] \right)^2 + \left(\frac{1}{J} \sum_{j=1}^J [u^H(k\Delta t - px_j - qy_j)] \right)^2}{\sum_{k=-K}^{+K} \frac{1}{J} \left(\sum_{j=1}^J [u(k\Delta t - px_j - qy_j)]^2 + \sum_{j=1}^J [u^H(k\Delta t - px_j - qy_j)]^2 \right)}$$

Coherence of real trace

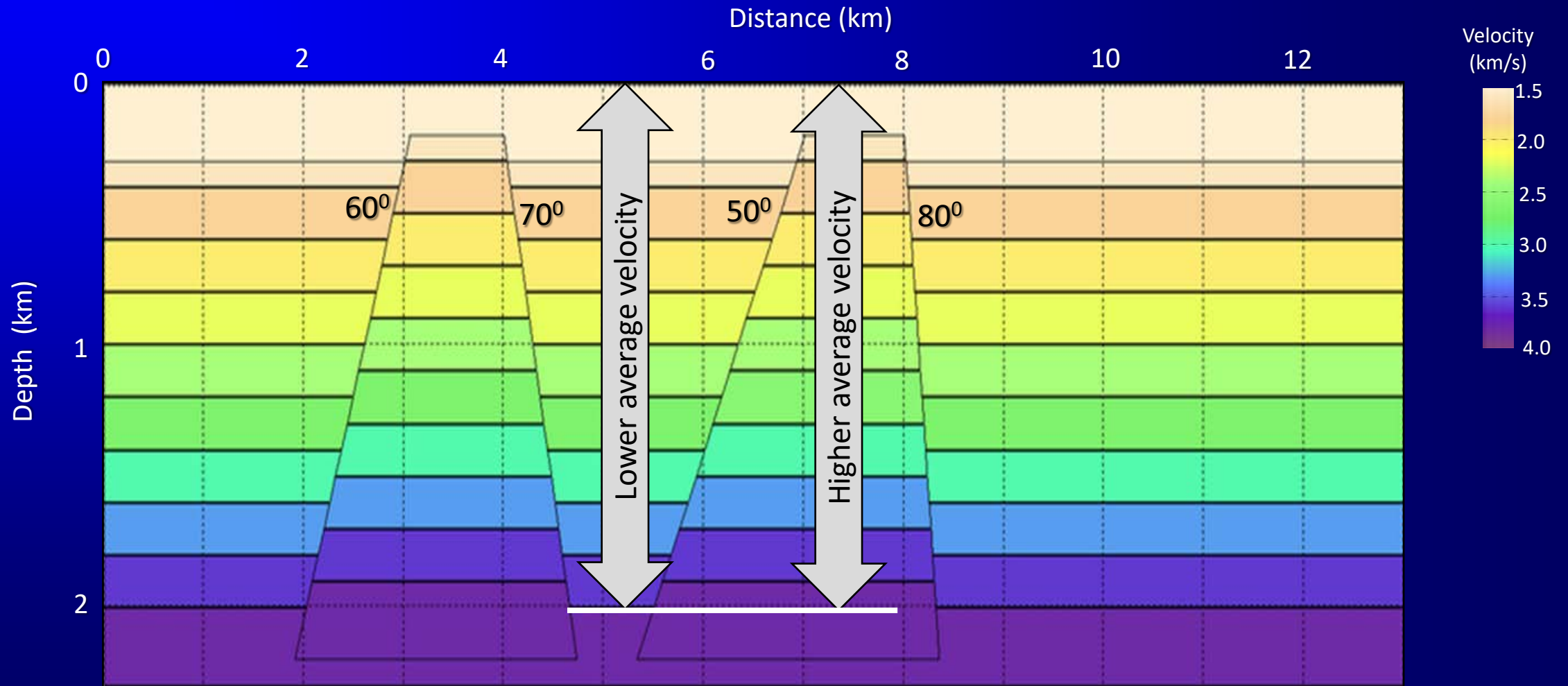
Coherence of analytic trace



Pitfalls and algorithm limitations:

Fault shadows and velocity pull-up and push-down

Generate finite difference synthetic shot gathers and migrate the results using an accurate velocity model



A simple model with four faults exhibiting different dips

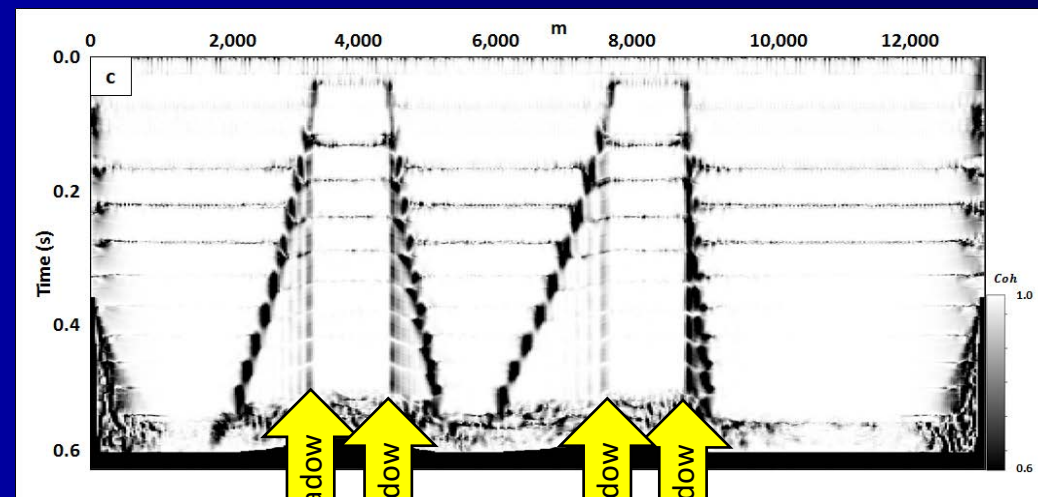
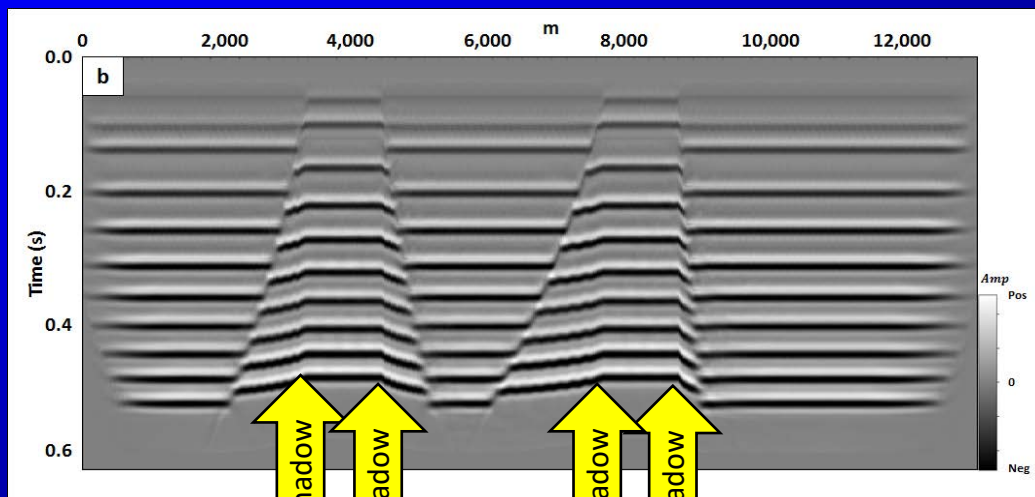
(Lin and Marfurt, 2017)



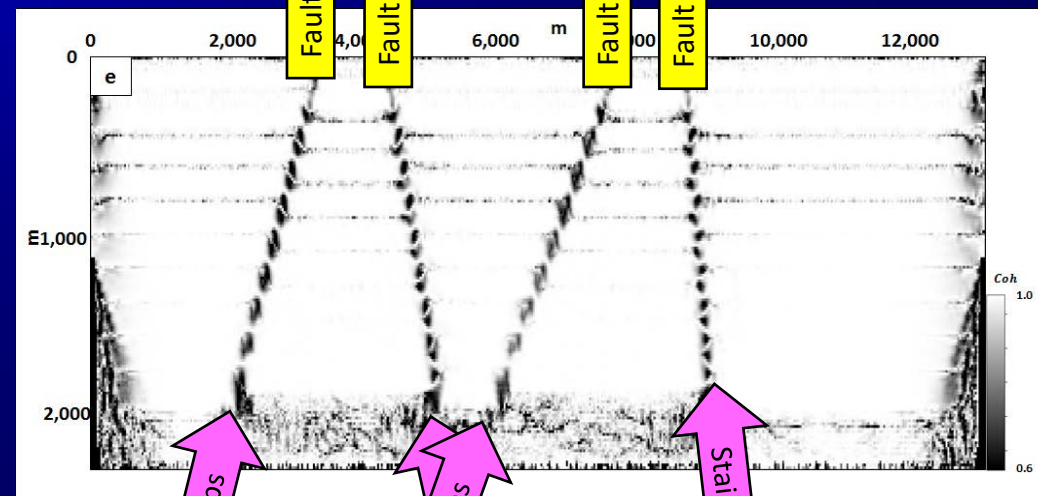
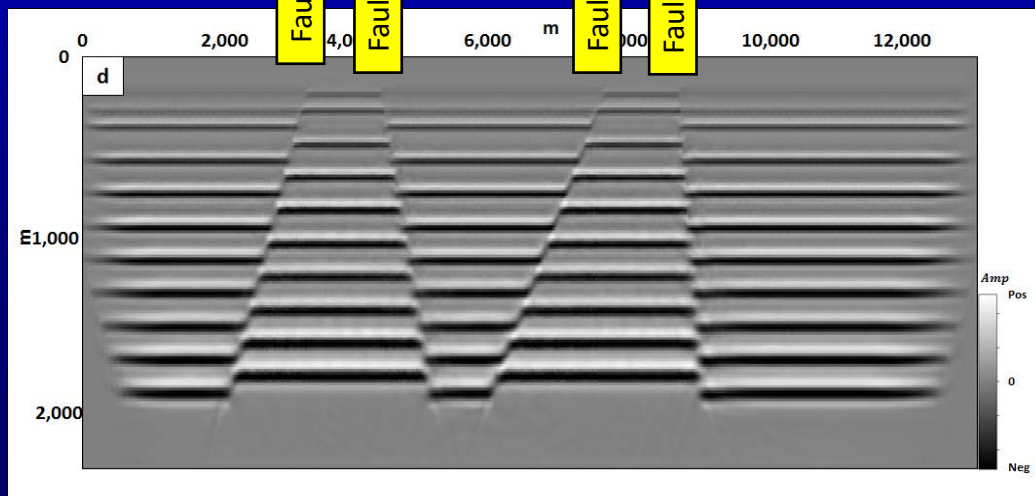
Pitfalls and algorithm limitations:

Fault shadows and velocity pull-up and push-down

Prestack time-migrated



Prestack depth-migrated

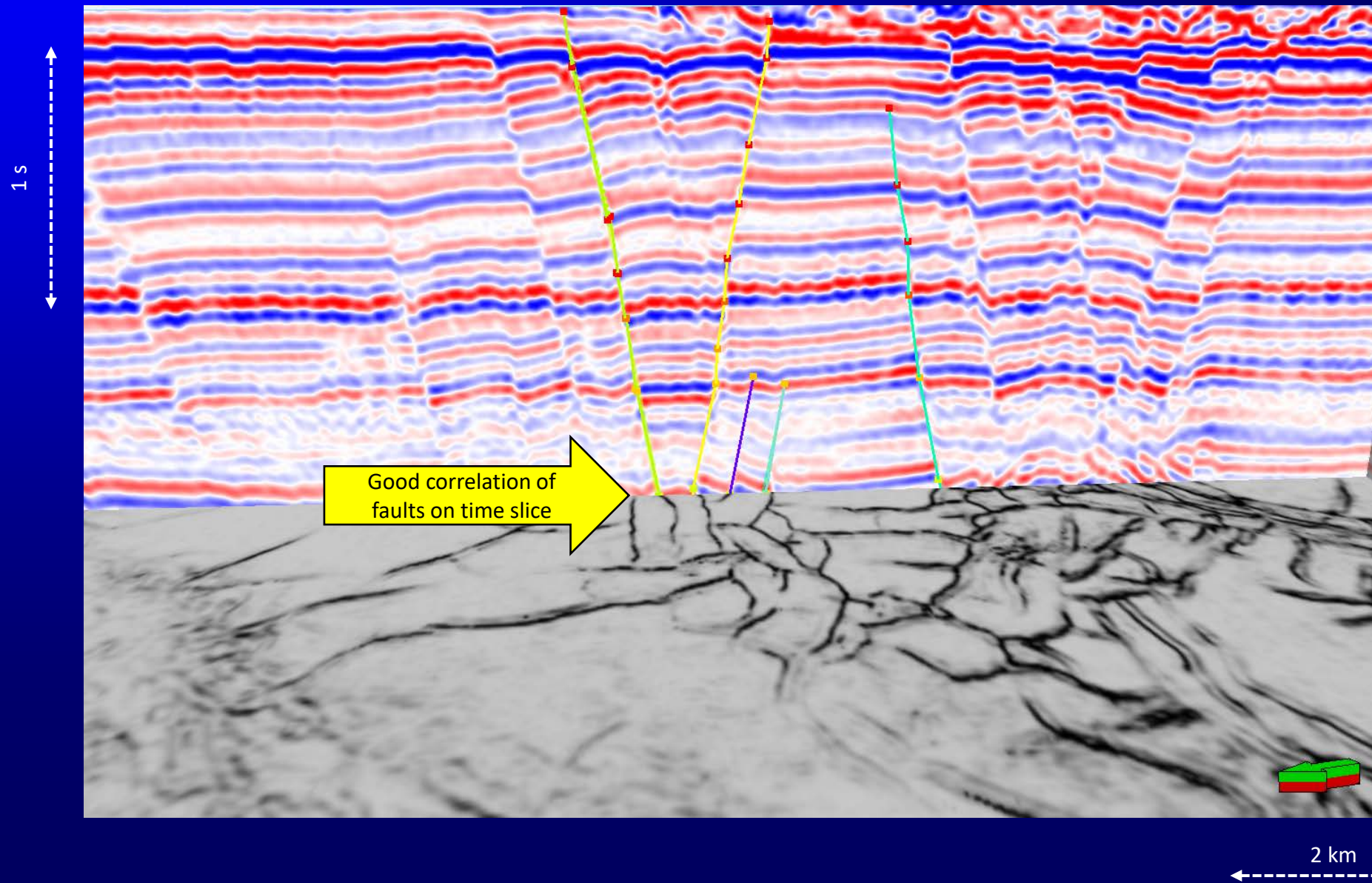


Amplitude

Coherence

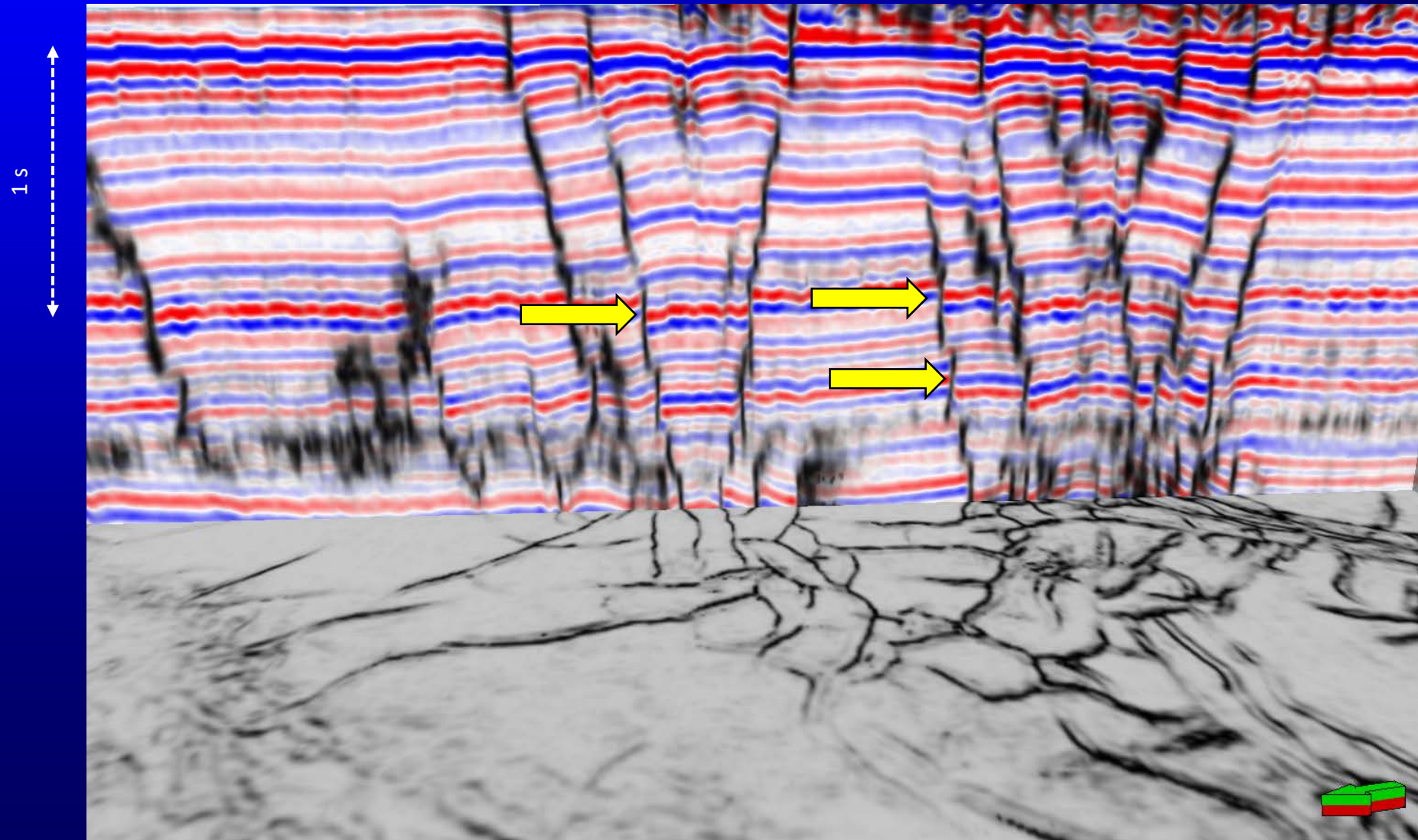
(Lin and Marfurt, 2017)

Pitfall: Coherence “stair step” effect



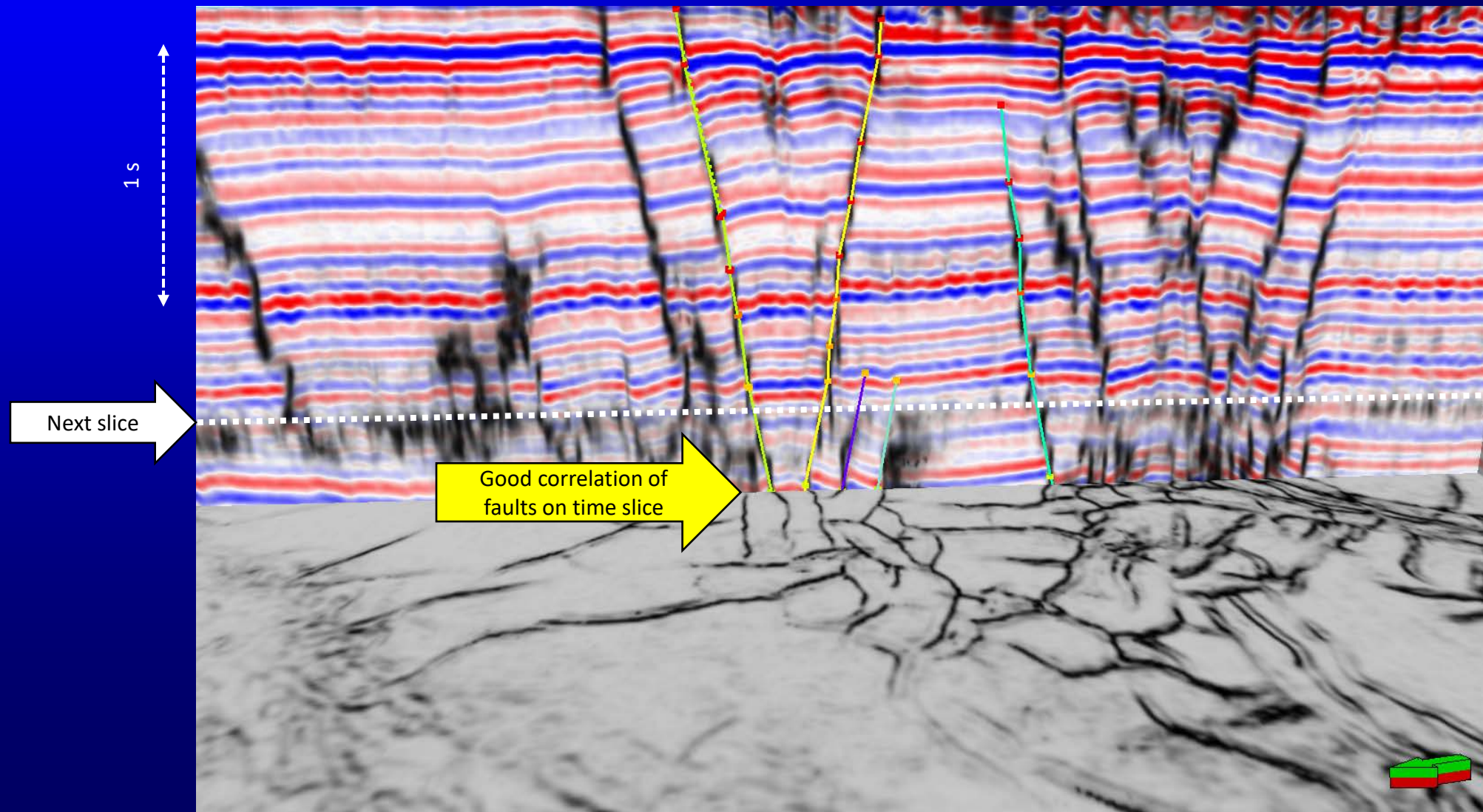
Pitfall: Coherence “stair step” effect

Discontinuities are perpendicular to the reflector, not parallel to the fault, and are the size of the wavelet



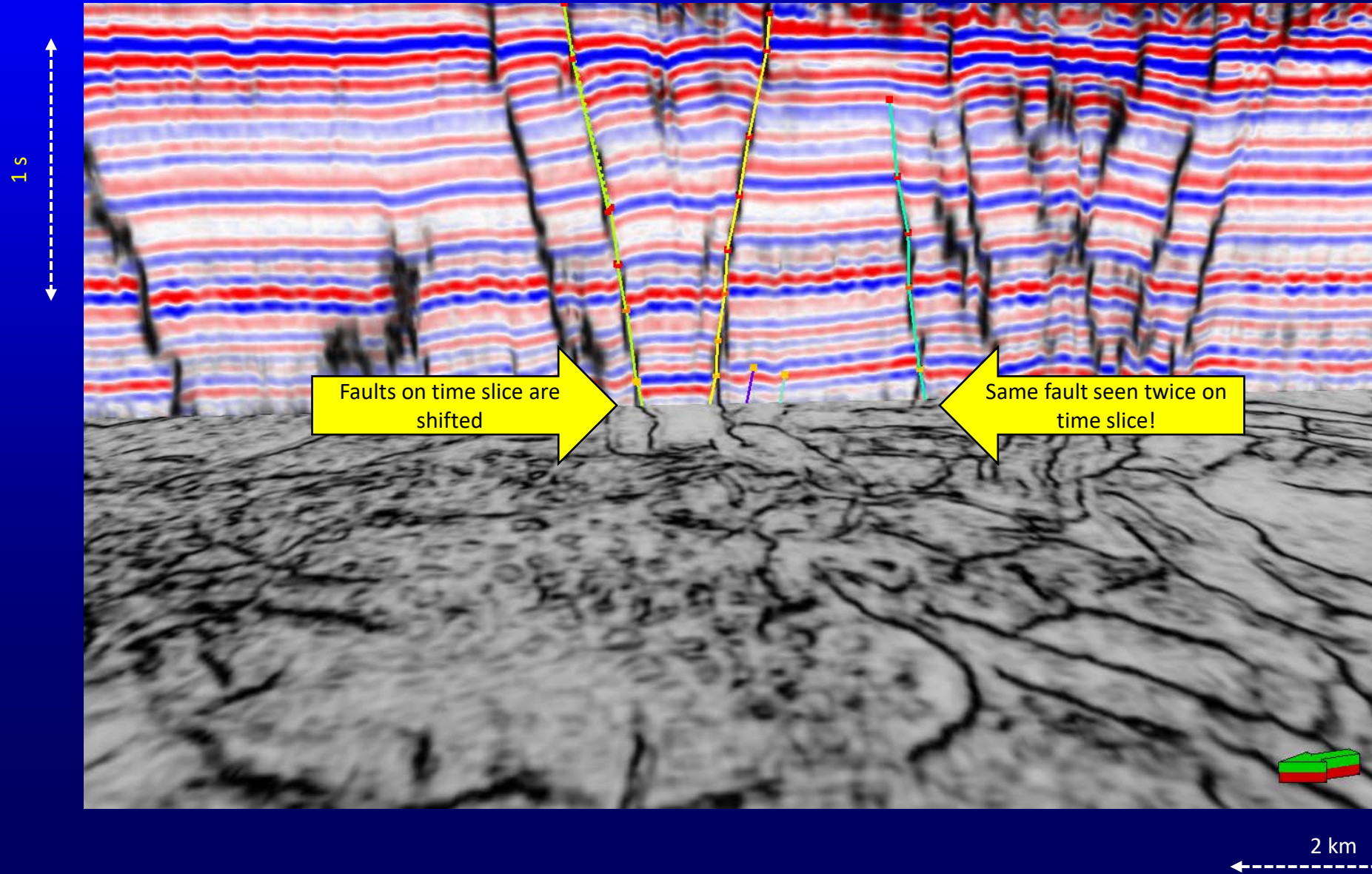
Pitfall: Coherence “stair step” effect

Coherence anomalies are well aligned at the peak of the reflector energy



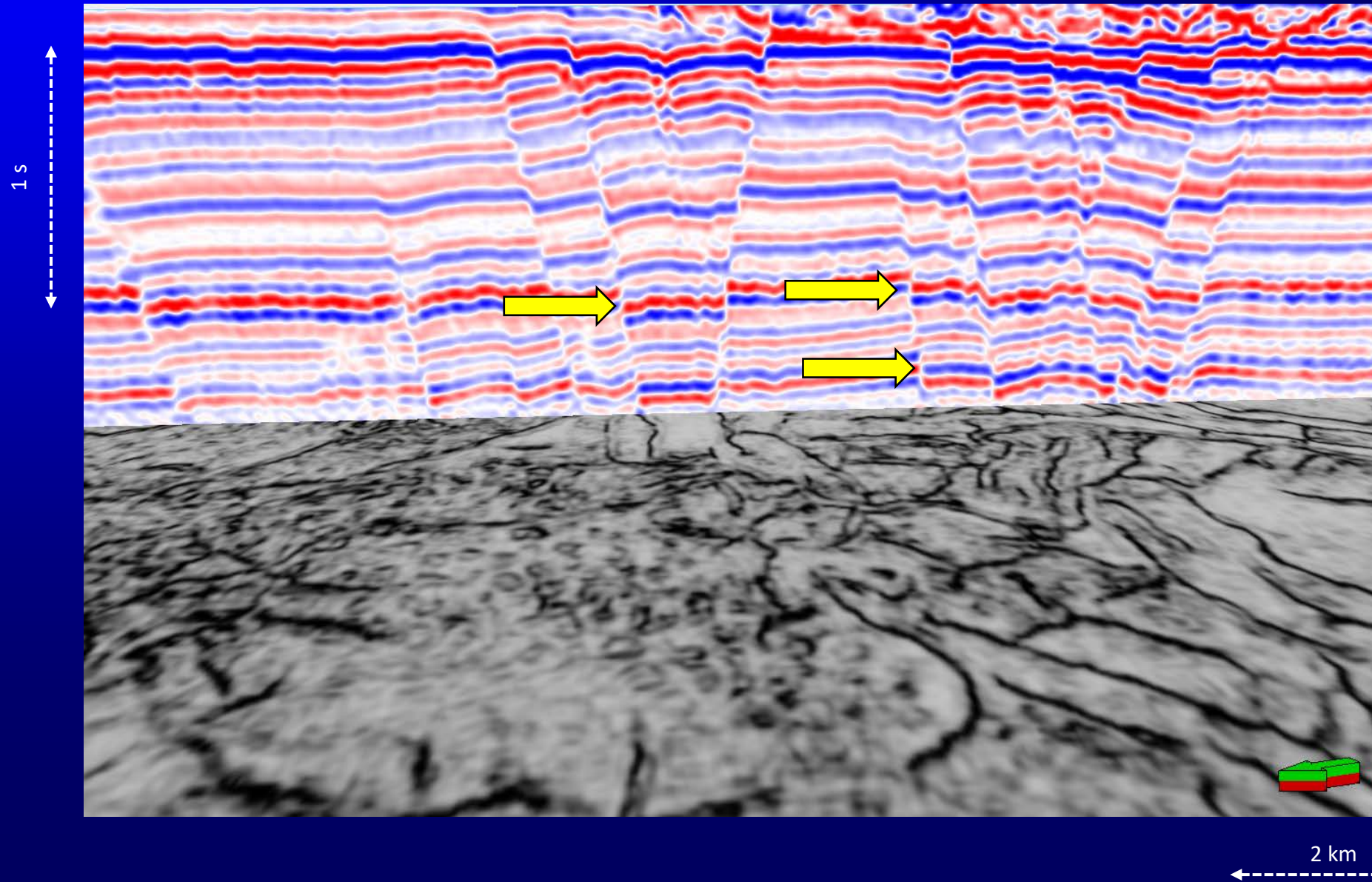
Pitfall: Coherence “stair step” effect

Coherence anomalies can be shifted with respect to the manually picked fault position

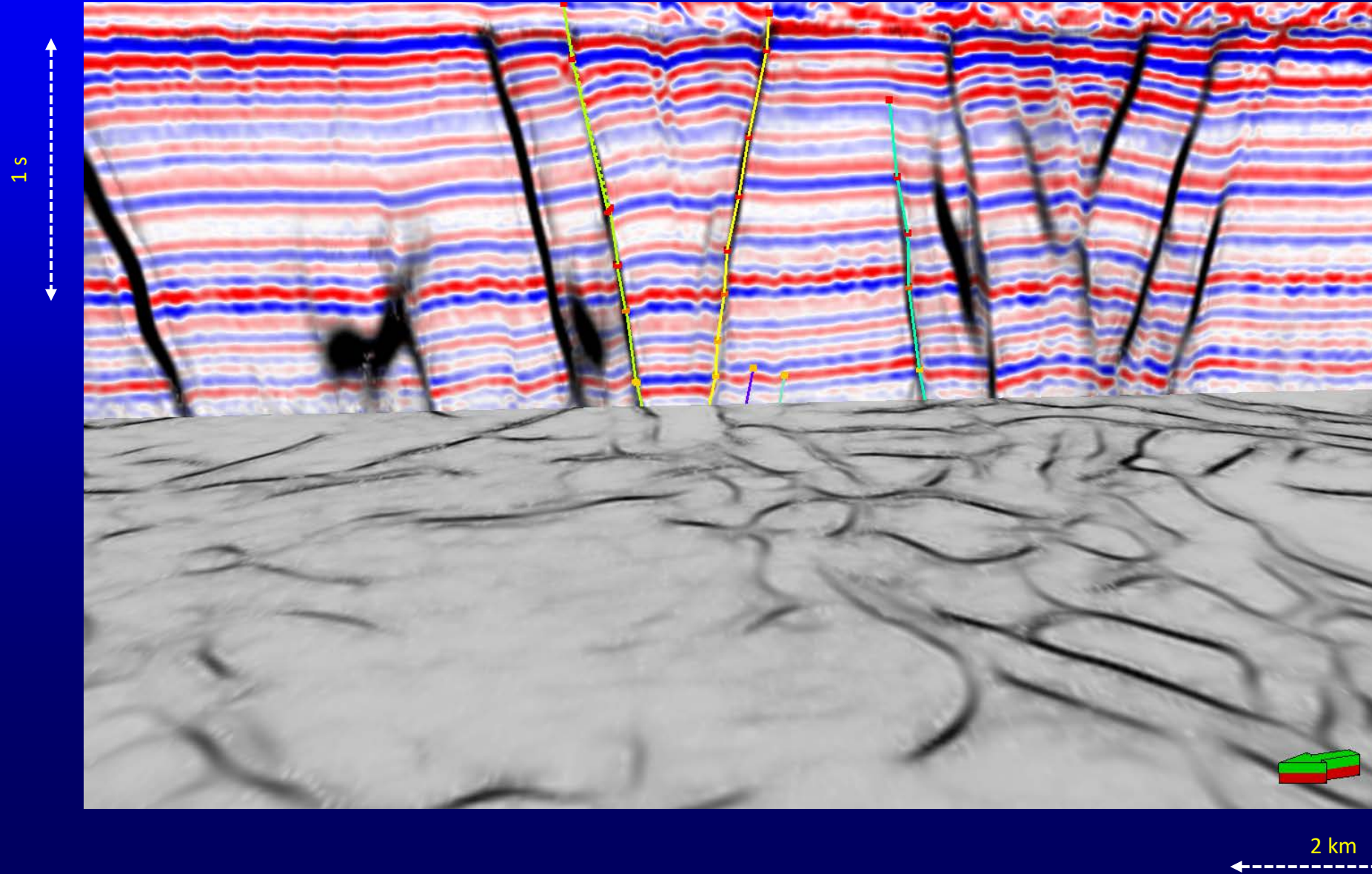


Pitfall: Coherence “stair step” effect

The stair steps are not due to coherence but are in the seismic data.



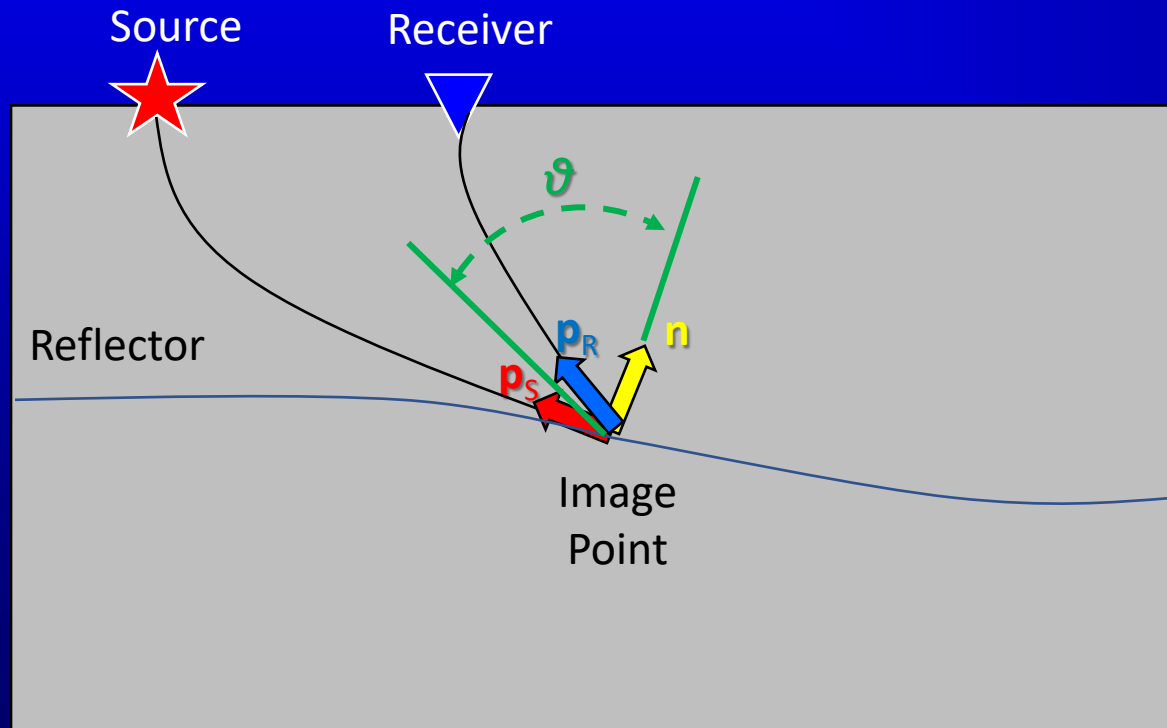
Partial solution: Apply weighted filters oriented along the local fault plane



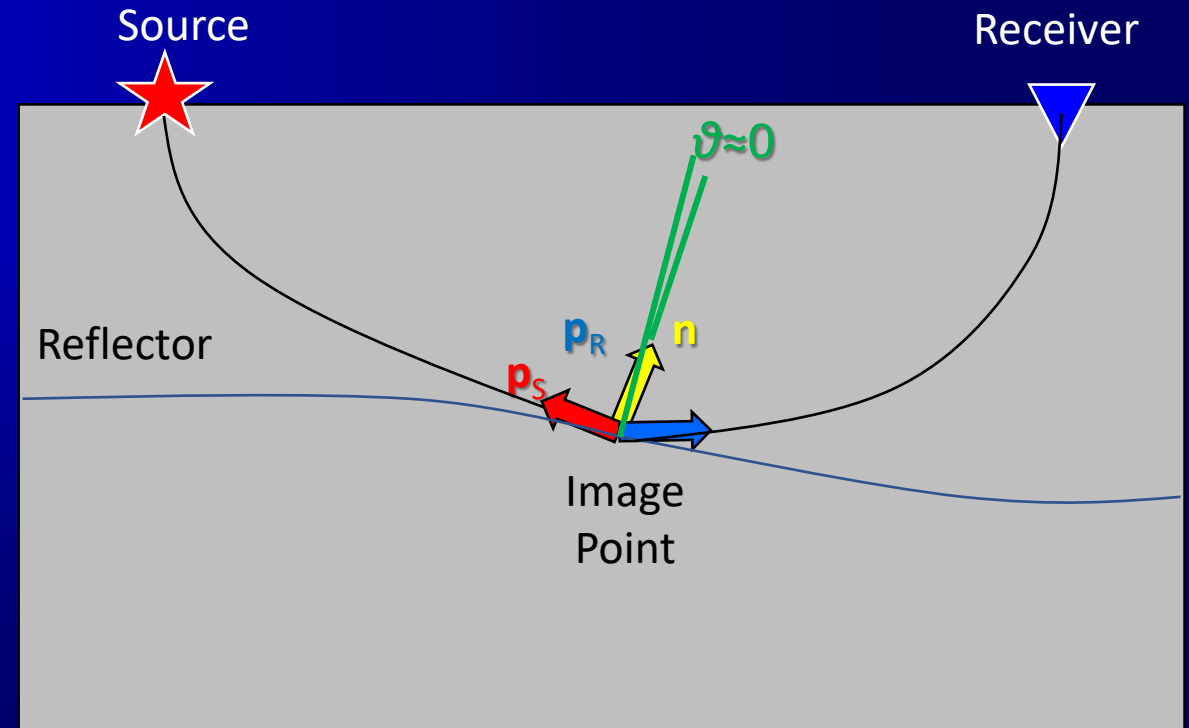
A review of prestack seismic imaging

All source receiver pairs are weighted by $\cos\vartheta$ and summed to form an image.

The Snell's Law “obliquity factor” $\cos\vartheta$ results in wavelets oriented perpendicular to specular reflectors



Non-specular reflection: $\cos\vartheta < 1$



Specular reflection: $\cos\vartheta = 1$



Pitfalls and algorithm limitations:

Acquisition footprint

(Delaware Basin, NM, US)



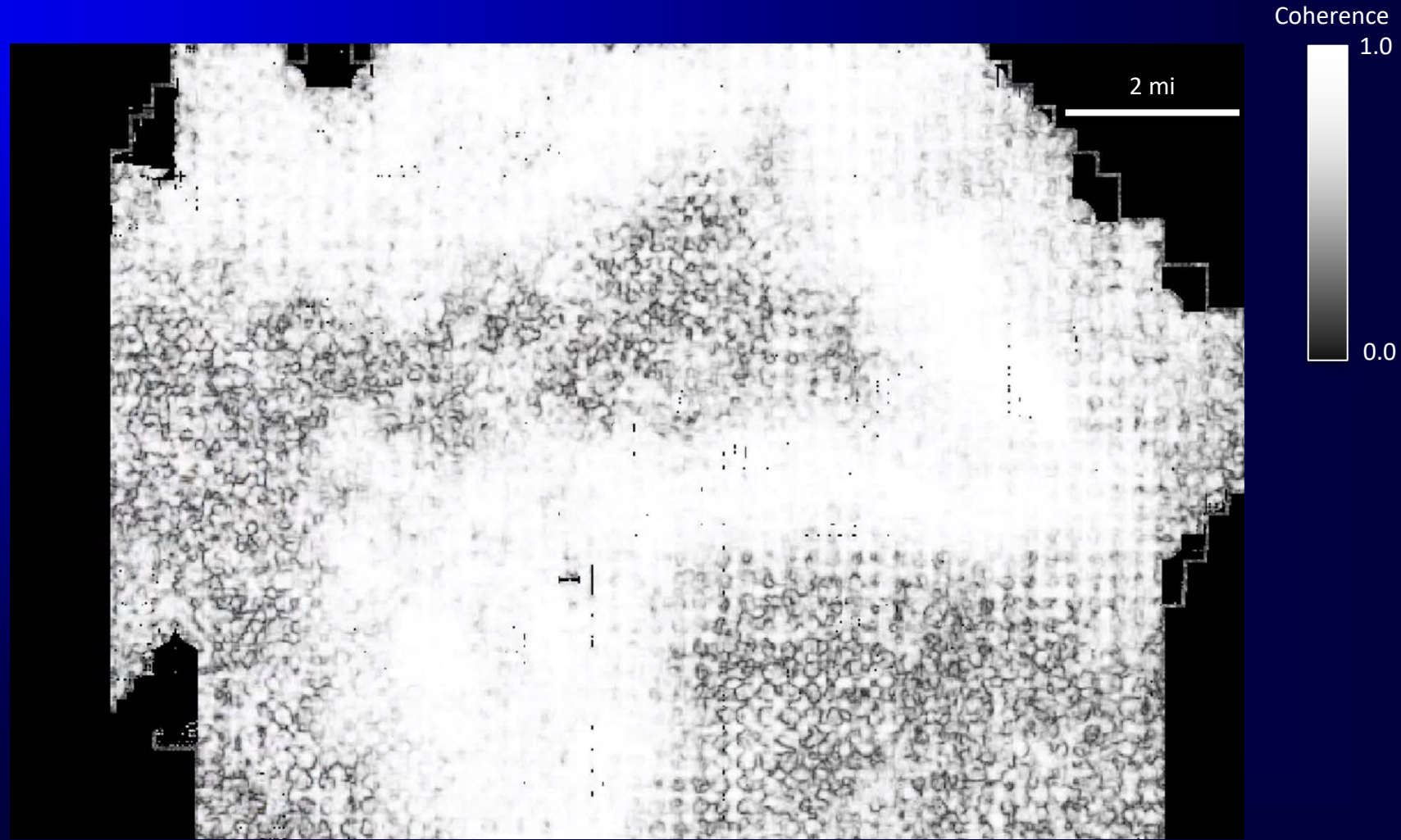
Amplitude Slice ($t= 0.45$ s at Yates level)



Pitfalls and algorithm limitations:

Acquisition footprint

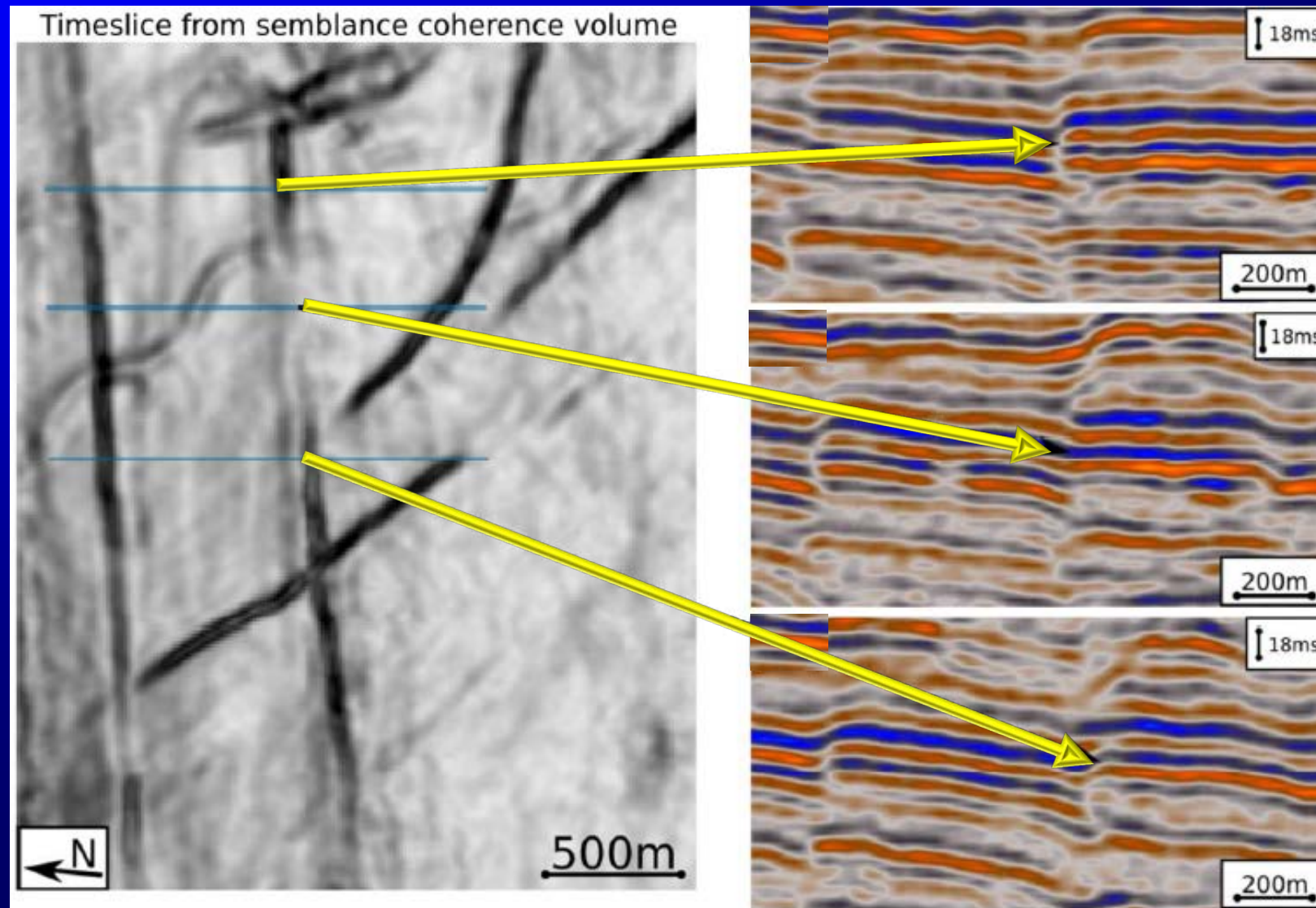
(Delaware Basin, NM, US)



Coherence Slice ($t= 0.45$ s at Yates level)

Pitfalls and algorithm limitations:

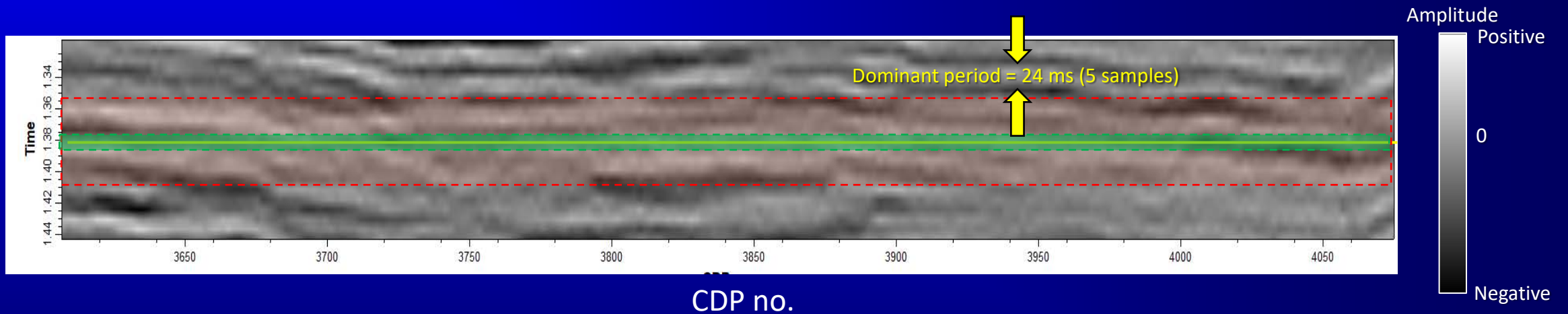
Faults that are easy to see on vertical sections but missed by coherence





Pitfalls and algorithm limitations: Using a default analysis window size

Sample increment = 6 ms

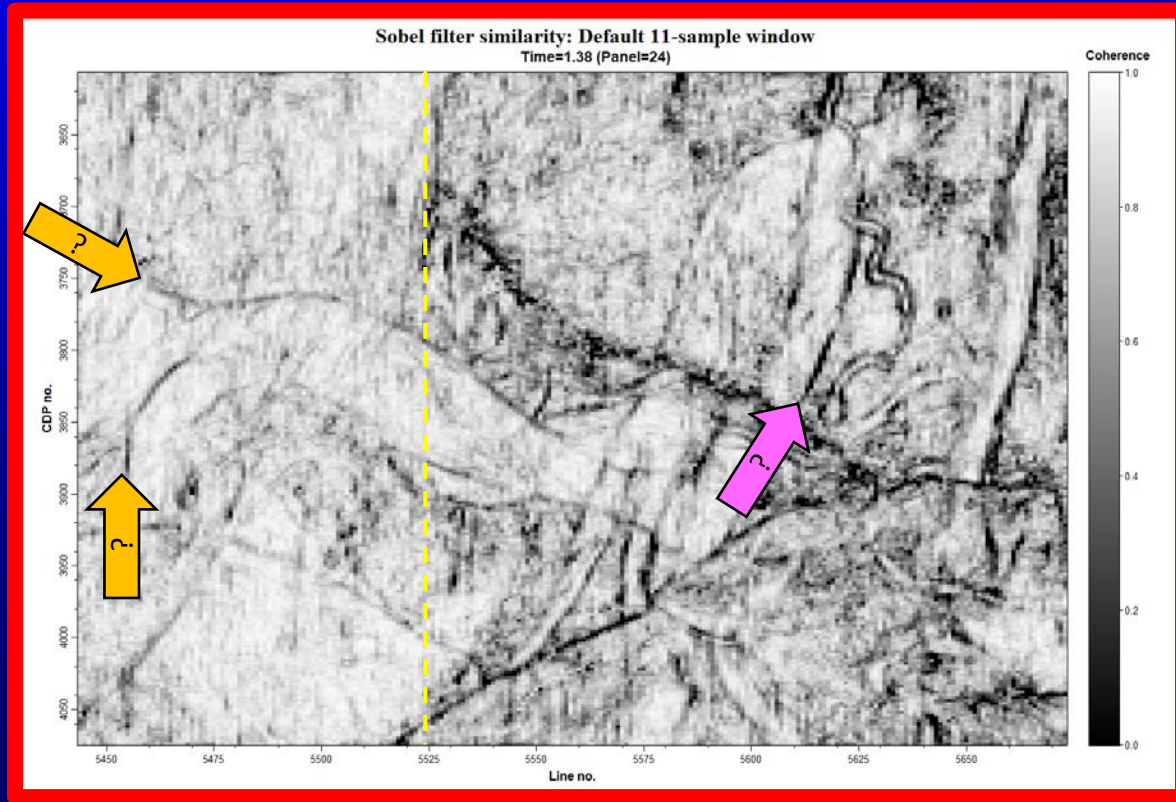
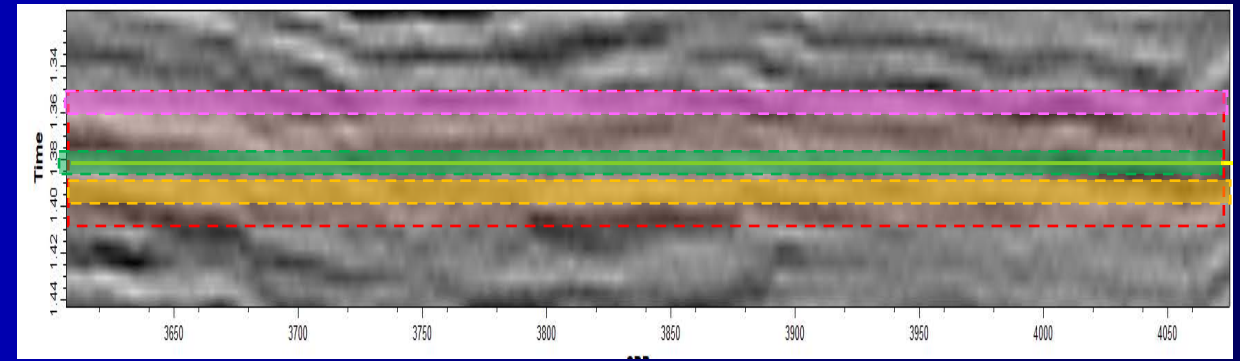


Default window size = 11 samples, or 60 ms

A smaller window size = 3 samples, or 12 ms

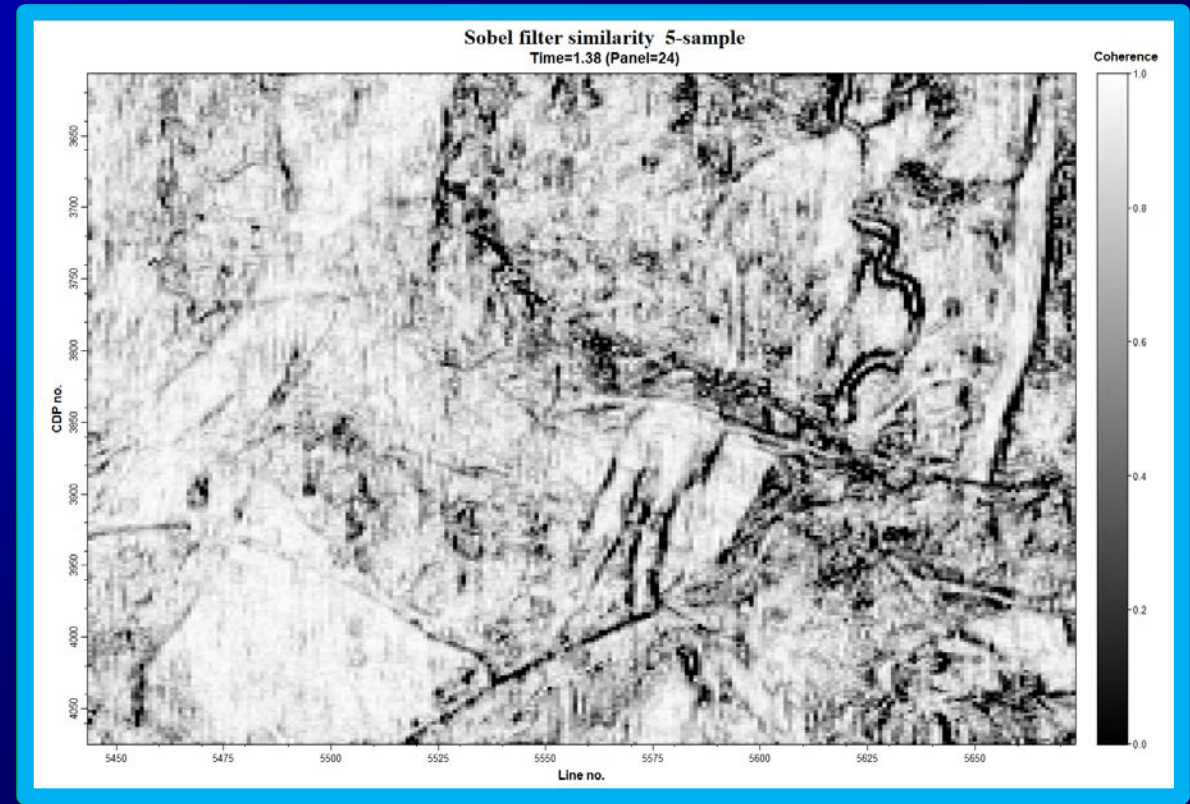
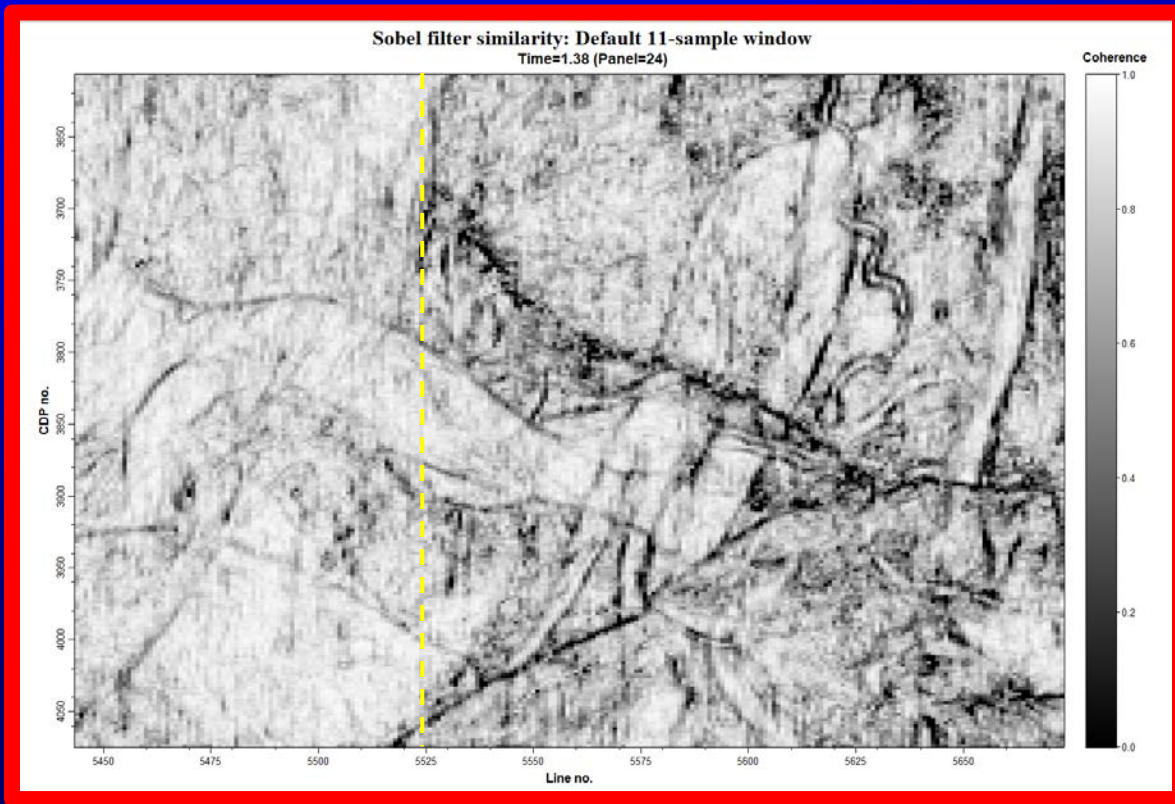
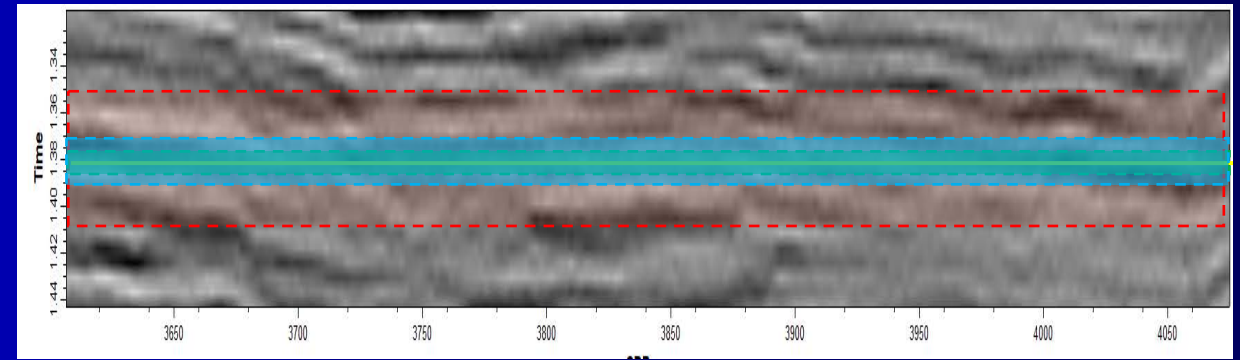


Pitfalls and algorithm limitations: Using a default analysis window size





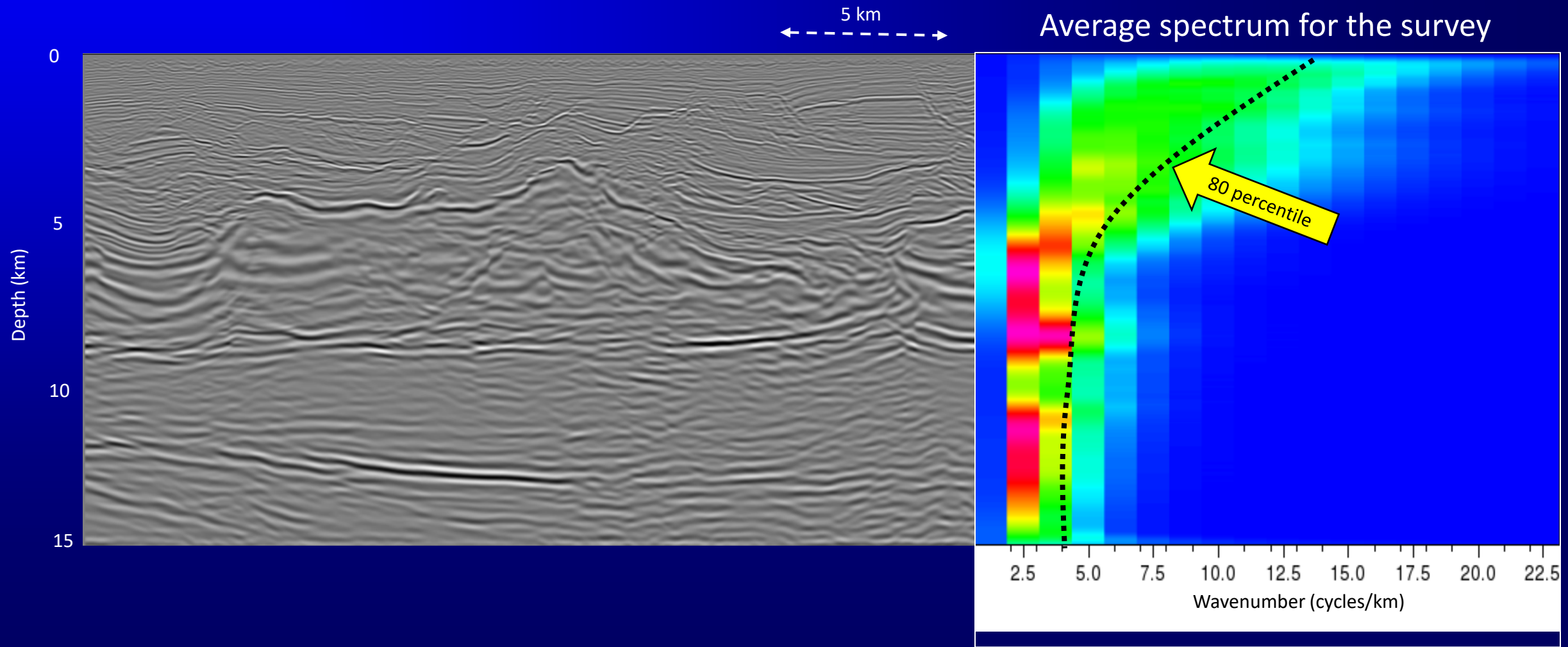
Pitfalls and algorithm limitations: Using a default analysis window size





Pitfalls and algorithm limitations:

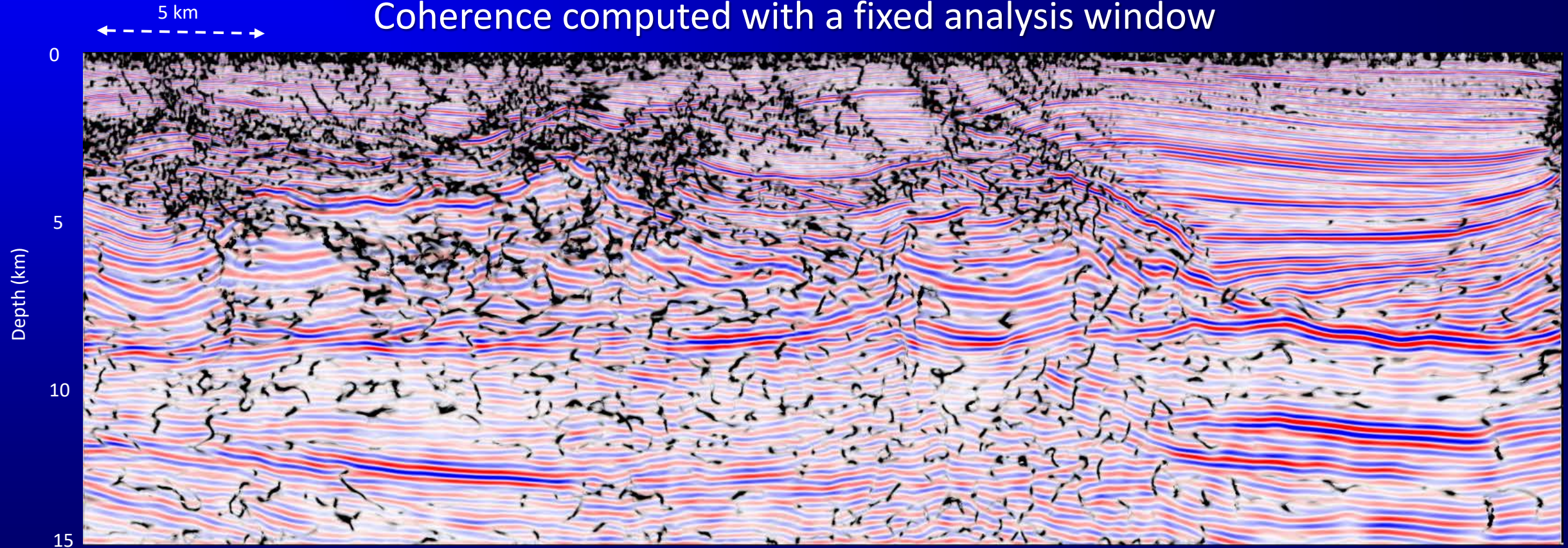
Using a single sized analysis window for depth-migrated data



Pitfalls and algorithm limitations:

Using a single sized analysis window for depth-migrated data

Coherence computed with a fixed analysis window



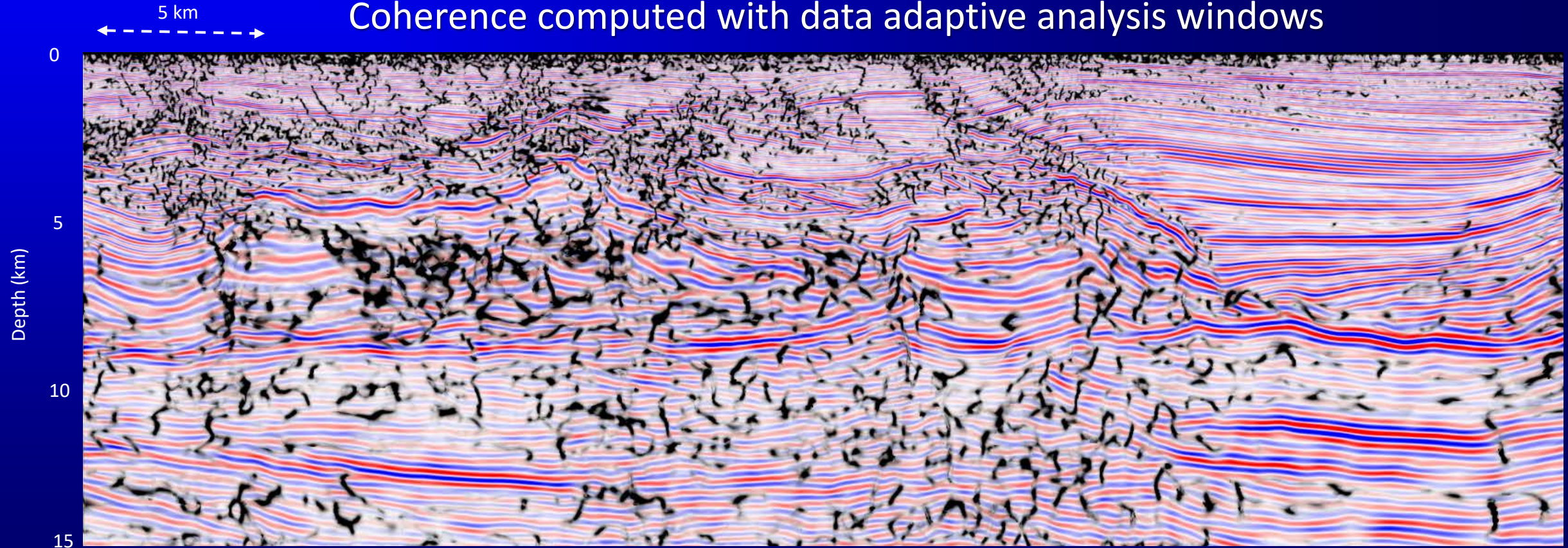
Fixed window = 50 m × 60 m × 50 m

Data grid: $\Delta x=25$ m, $\Delta y=30$ m, $\Delta z=10$ m

Pitfalls and algorithm limitations:

Using a single sized analysis window for depth-migrated data

Coherence computed with data adaptive analysis windows



Multiple windows ranging from:

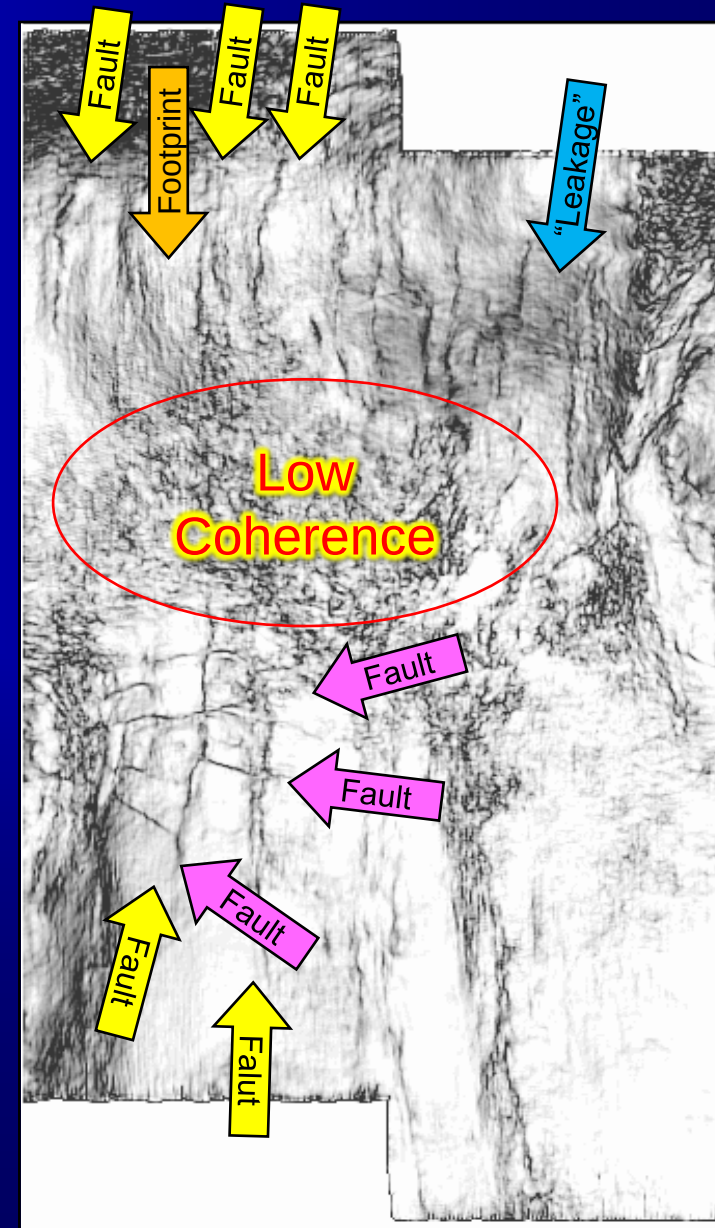
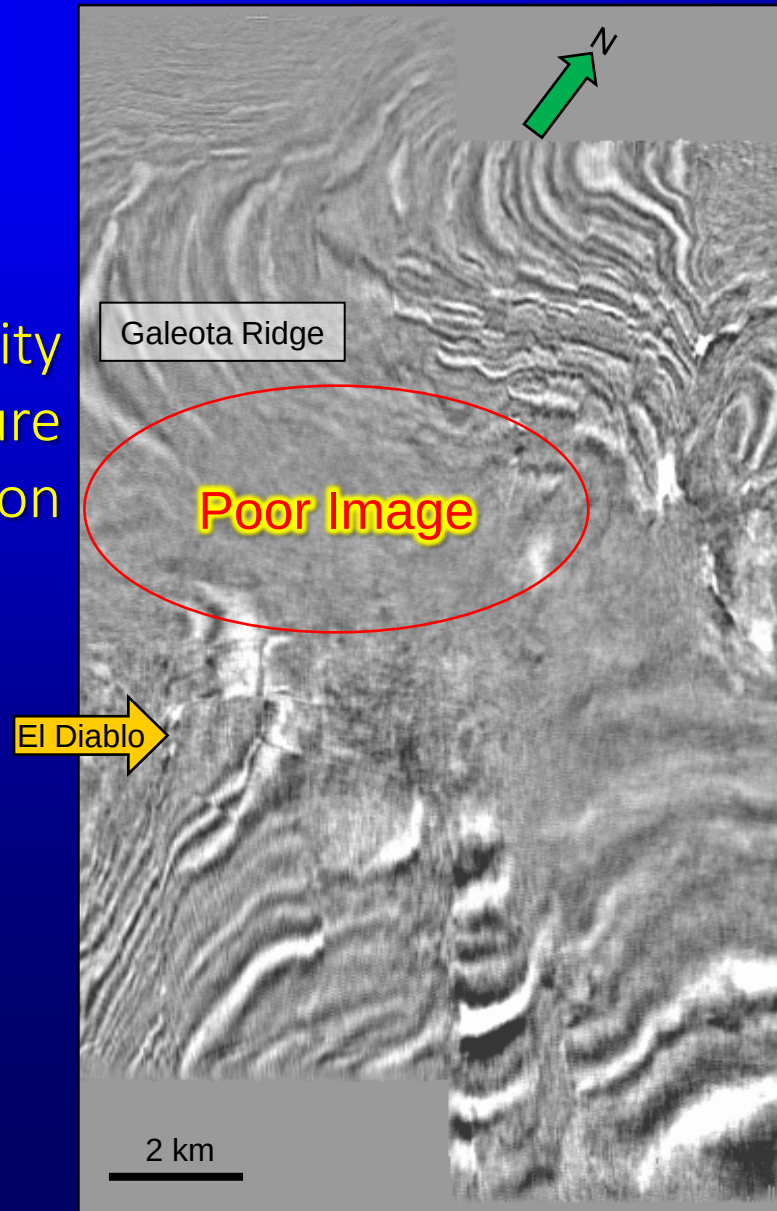
- 30 m × 30 m × 30 m in the shallower section, to
- 130 m × 130 m × 130 m in the deeper section

Data grid: $\Delta x=25$ m, $\Delta y=30$ m, $\Delta z=10$ m

Pitfalls and algorithm limitations:

Poor imaging

Inaccurate velocity
due to pressure
compartmentalization



Coherence

In summary, coherence:

- Is an excellent tool for delineating geological boundaries (faults, lateral stratigraphic contacts, etc.),
- Allows accelerated evaluation of large data sets,
- Provides a quantitative estimate of fault/fracture presence,
- Often enhances stratigraphic information that is otherwise difficult to extract,
- Should always be calculated along structural dip, and
- Is a “local” algorithm- Faults that have drag, are poorly migrated, or separate two similar reflectors, or otherwise do not appear locally to be discontinuous, will not show up on coherence volumes.

In general:

- Stratigraphic features are best analyzed on horizon slices,
- Structural features are best analyzed on time slices, and
- Large vertical analysis windows can improve the resolution of vertical faults, but can smear dipping faults and mix stratigraphic features.